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## REDSHIFTED ABSORPTION AT He I $\lambda$ 10830 AS A PROBE OF THE ACCRETION GEOMETRY OF T TAURI STARS

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### ABSTRACT

We probe the geometry of magnetospheric accretion in classical T Tauri stars (CTTSs) by modeling red absorption at He I  $\lambda$ 10830 via scattering of the stellar and veiling continua. Under the assumptions that the accretion flow is an azimuthally symmetric dipole and helium is sufficiently optically thick that all incident  $1 \mu\text{m}$  radiation is scattered, we illustrate the sensitivity of He I  $\lambda$ 10830 red absorption to both the size of the magnetosphere and the filling factor of the hot accretion shock. We compare model profiles to those observed in 21 CTTSs with subcontinuum redshifted absorption at He I  $\lambda$ 10830 and find that about half of the stars have red absorption and  $1 \mu\text{m}$  veilings that are consistent with dipole flows of moderate width with accretion shock filling factors matching the size of the magnetospheric footpoints. However, the remaining 50% of the profiles, with a combination of broad, deep absorption and low  $1 \mu\text{m}$  veiling, require very wide flows where magnetic footpoints are distributed over 10%–20% of the stellar surface but accretion shock filling factors are  $<1\%$ . We model these profiles by invoking large magnetospheres dilutely filled with accreting gas, leaving the disk over a range of radii in many narrow “streamlets” that fill only a small fraction of the entire infall region. In some cases accreting streamlets need to originate in the disk between several  $R_*$  and at least the corotation radius. A few stars have such deep absorption at velocities  $>0.5V_{\text{esc}}$  that flows near the star with less curvature than a dipole trajectory seem to be required.

*Subject headings:* accretion, accretion disks — planetary systems: protoplanetary disks — scattering — stars: formation — stars: pre-main-sequence

### 1. INTRODUCTION

The classical T Tauri stars (CTTSs) are optically revealed, low-mass, pre-main-sequence stars that accrete material from a circumstellar disk and have a well-defined connection between accretion and outflow (Hartigan et al. 1995, hereafter HEG95). Accretion from the disk to the star is thought to be guided by the stellar magnetosphere, where a sufficiently strong magnetic field truncates the disk at several stellar radii and material follows field lines that direct it to the stellar surface at high latitudes (Ghosh & Lamb 1978; Königl 1991; Collier Cameron & Campbell 1993; Shu et al. 1994). Magnetospheric accretion controls the star-disk interaction, and an improved understanding of this process will shed light on outstanding issues in the innermost  $10R_*$  of CTTS systems, such as the regulation of stellar angular momentum and the launching of the inner wind.

Leading diagnostics of CTTS accretion include the optical/UV continuum excess and the profiles of permitted emission lines (Bouvier et al. 2007a). Kinematic evidence for infalling gas in CTTSs began with the discovery that some CTTSs show inverse P Cygni structure in upper Balmer lines extending to velocities of several hundred  $\text{km s}^{-1}$  (Walker 1972). Later, more sensitive surveys found that redshifted absorption components are relatively common in some lines, especially in the upper Balmer and Paschen series (Edwards et al. 1994; Alencar & Basri 2000; Folha & Emerson 2001). Although redshifted absorption extending to several hundred  $\text{km s}^{-1}$  clarifies that material accretes in free fall

from at least several stellar radii, it has been the success of radiative transfer modeling of line formation in magnetospheric accretion flows in a key series of papers culminating with Muzerolle et al. (2001) that has provided the strongest underpinning for this phenomenon. Under the assumption of an aligned, axisymmetric dipole, the models have had reasonably good success in reproducing the general morphology of hydrogen profiles and emission fluxes in some stars. The complementary assessment of accretion rates follows from interpreting the SED of the optical/UV excess, which has been successfully modeled for wavelengths shortward of  $0.5 \mu\text{m}$  as arising in a hot accretion shock, where accreting material impacts the stellar surface after free fall along funnel flows coupled to the disk (Johns-Krull et al. 2000; Calvet & Gullbring 1998, hereafter CG98). To match the observations, the accretion shock filling factor is less than 1% in most cases but can climb to 10% in a few of the most active accretors. The derived accretion rates range from  $10^{-10}$  to  $10^{-6} M_{\odot} \text{ yr}^{-1}$ , with a median of  $10^{-8} M_{\odot} \text{ yr}^{-1}$  (Calvet et al. 2000).

In addition, Zeeman broadening of unpolarized CTTS photospheric lines indicates mean surface field strengths in the range 1–3 kG (Johns-Krull 2007), sufficiently strong to induce disk truncation and drive funnel flows. However, these strong surface fields are not predominantly dipolar, as photospheric lines show only weak net circular polarization implying dipole components an order of magnitude smaller (Valenti & Johns-Krull 2004; Yang et al. 2007). Nevertheless, an extended dipole component is inferred for the accretion flow, since the same authors find significant circular polarization in the narrow component of the He I  $\lambda$ 5876 emission line, thought to be formed in the accretion shock at the base of the funnel flow (Beristain et al. 2001).

The evidence for magnetospheric accretion is thus compelling; however, the topology of the magnetosphere, the geometry of the accretion flow, and the disk truncation radius remain topics of considerable investigation, since their configuration impacts processes

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for angular momentum regulation and wind launching. One form of angular momentum regulation, known as disk locking, invokes a spin-up torque from accreting material just inside the corotation radius balanced by a spin-down torque at larger radii (Collier Cameron & Campbell 1993). This approach has been questioned by Matt & Pudritz (2005, 2008a, 2008b), who instead suggest accretion-powered stellar winds as a more likely means for stellar spin-down, which must occur simultaneously with magnetospheric accretion from the disk (see also Sauty & Tsinganos 1994). Alternatively, the *X*-wind model (Shu et al. 1994) originally featured a narrow annulus of star-disk coupling close to the corotation radius, where closed field lines develop funnel flows and open field lines drive a centrifugal outflow that carries away angular momentum from accreting material, thus inhibiting stellar spin-up. The flexibility of this model to maintain its basic properties in the face of complex magnetospheric accretion geometries has recently been demonstrated by Mohanty & Shu (2008). If the stellar and disk fields are parallel, then an intermittent outflow can develop via a reconnection *X*-wind, which removes angular momentum from the star, as well as the inner disk (Ferreira et al. 2006).

Evidence for nonaligned fields coupled with complex accretion geometries is mounting, coming from a variety of recent studies. Using time-resolved spectropolarimetry of the mildly accreting CTTS V2129 Oph, Donati et al. (2007) used Zeeman detections from both photospheric features and emission lines from the accretion shock to construct a Doppler tomographic map of the magnetic topology on the stellar surface. The dominant field on the star is a misaligned octopole, and accretion is confined largely to a high-latitude spot covering  $\leq 5\%$  of the stellar surface. These authors also attempt to reconstruct the three-dimensional field geometry out to the disk interaction region and suggest that the large-scale field funneling accreting material from the disk is more complex than a simple dipole. However, such extrapolation techniques, while tantalizing, must be applied with caution at present, since there are numerous uncertainties in the reconstruction process (Mohanty & Shu 2008). Numerical magnetohydrodynamic (MHD) simulations of star-disk interactions demonstrate that non-axisymmetric funnel flows arise if the stellar field is tipped by only a few degrees relative to the rotation axis, breaking into two discrete streams under stable accretion conditions (Romanova et al. 2003). If the accretion rate is sufficiently high, accretion is predicted to proceed through equatorial “tongues” that can push apart field lines (Romanova et al. 2008). Similarly, accretion spots can appear at a wide range of latitudes, including equatorial belts. Such behavior has been observed in models featuring accretion along quadrupolar, as well as dipolar, field lines (Long et al. 2007, 2008); accretion along field lines extrapolated from surface magnetograms (Gregory et al. 2006); and accretion mediated by a dynamo-generated disk magnetic field (von Rekowski & Brandenburg 2006).

Observational signatures for misaligned dipoles are being explored in radiative transfer models for hydrogen line formation in funnel flows, with subsequent predictions for rotationally modulated profile variations. Initially, Symington et al. (2005) presented radiative transfer models of hydrogen lines featuring curtains of accretion covering a limited extent in azimuth in geometries consistent with aligned dipoles. Their model profiles exhibit certain characteristics of the observed line profile variability, such as rotationally modulated line strengths and the appearance of red absorption components at certain phases and inclinations, but the predicted level of variability is higher than observed. More recently, Kurosawa et al. (2008) applied a radiative transfer code for H line formation to the three-dimensional output from the

MHD simulations of Romanova et al. (2003, 2004) which prescribe the geometry, density, and velocity of two-armed accretion streams that result from dipoles misaligned with the rotation axis by angles ranging from  $10^\circ$  to  $90^\circ$ . Applying temperatures similar to those from the Muzerolle et al. (2001) axisymmetric models, they were able to reproduce some of the trends in continuum and profile variability from models. One of the larger discrepancies in comparing the model profiles to observed ones is that the model profiles for Paschen and Brackett lines are a factor of 2 narrower than the mean value observed by Folha & Emerson (2001). The problem is likely more complex than simply finding another line-broadening mechanism, since  $\text{Pa}\gamma$  has recently been shown to have line widths that are correlated with the  $1\ \mu\text{m}$  continuum excess, in the sense that the narrowest lines are found among objects with the lowest disk accretion rates (Edwards et al. 2006, hereafter EFHK06). Evidence that some of the hydrogen emission is formed in the accretion shock rather than the funnel flow is now clearly demonstrated by the discovery of circular polarization in the core of the Balmer lines (Donati et al. 2008). The implication is that hydrogen lines are not necessarily a definitive means for probing the properties of funnel flows, so additional probes are desirable.

In this paper, we explore a different means of diagnosing the geometry of the accretion flow, making use of the redshifted subcontinuum absorption in the  $2p\ ^3P^o \rightarrow 2s\ ^3S$  transition of neutral helium ( $\lambda 10830$ ), recently demonstrated to be a very sensitive probe of both outflowing gas in the inner wind and infalling gas in the funnel flow due to its frequent display of blue and red absorption (EFHK06). A subcontinuum absorption feature is a more telltale diagnostic of a kinematic flow than an emission profile, since its position (blue or red) indicates the direction of the flow, its width indicates the range of line-of-sight velocities in the flow, and its depth at a particular velocity indicates the fraction of the continuum (stellar plus veiling) occulted by material moving at that velocity. In the case of red absorption, the absorption depth signals the fraction of the stellar surface covered by the funnel flow at each velocity, making it an effective probe of the CTTS accretion geometry.

This is the third in a series of papers about  $1\ \mu\text{m}$  diagnostics of accretion and outflow in CTTSs. The first, EFHK06, presented  $1\ \mu\text{m}$  spectra from 38 CTTSs, including He I  $\lambda 10830$  profiles,  $\text{Pa}\gamma$  profiles, and measurements of the continuum excess “veiling” in the  $1\ \mu\text{m}$  region. The second paper, Kwan et al. (2007, hereafter KEF07), modeled blueshifted absorption components at He I  $\lambda 10830$ , which appear in about three-quarters of the sample, and found that while some stars have winds best explained as arising from the inner disk, others require an outflow moving radially away from the star in an accretion-powered “stellar” wind. In this paper, we analyze redshifted subcontinuum absorption at He I  $\lambda 10830$  in 21 CTTSs that present red absorption in at least one observation. The following section describes the sample selection, data acquisition, and data reduction. Section 3 presents the data and discusses variability. In § 4, we present model scattering profiles that arise in a dipolar flow geometry, show that they explain only a fraction of the red absorption features, and explore modifications to a dipolar flow that better explain the remaining observations. Discussion and conclusions follow in §§ 5 and 6.

## 2. SAMPLE AND DATA REDUCTION

In this paper we focus on the 21 of 38 CTTSs included in EFHK06 that display redshifted subcontinuum absorption at He I  $\lambda 10830$  at least once in a multiepoch observing program with Keck NIRSPEC. It includes spectra presented in EFHK06 acquired in 2001 November and 2002 November, when 8 of

TABLE 1  
THE 21 CTTSs WITH SUBCONTINUUM RED ABSORPTION AT He I  $\lambda$ 10830

Object (1)	Spectral Type (2)	$M_*$ (3)	$R_*$ (4)	$V_{\text{esc}}$ (5)	$P_{\text{rot}}$ (6)	$R_{\text{co}}$ (7)	$\langle r_V \rangle$ (8)	$\log M_{\text{acc}}$ (9)	Refs. (10)	$N_{\text{obs}}$ (11)
AA Tau.....	K7	0.70	1.75	390	8.22	8.7	0.32	-8.5	12, 9, 5, 9	4
BM And.....	G8	2.03	3.02	510	...	...	...	>-9	15, 15, 7	2
CI Tau.....	K7	0.70	1.94	370	...	...	0.47	-6.8	12, 12, 10	1
CY Tau.....	M1	0.43	1.70	310	7.5	7.2	1.20	-8.1	12, 9, 4, 9	3
DK Tau.....	K7	0.69	2.51	320	8.4	6.1	0.49	-7.4	12, 9, 3, 9	4
DN Tau.....	M0	0.52	2.15	300	6.0	5.2	0.08	-8.5	12, 9, 2, 9	2
DR Tau.....	K7	0.69	2.75	310	9.0	5.9	9.60	-5.1	12, 10, 4, 10	4
DS Tau.....	K5	1.09	1.30	570	...	...	0.96	-7.9	12, 9, 9	1
FP Tau.....	M4	0.21	2.00	200	...	...	0.15	-7.7	12, 12, 10	1
GI Tau.....	K6	0.93	1.74	450	7.2	8.8	0.24	-8.0	12, 9, 17, 9	2
GK Tau.....	K7	0.69	2.16	350	4.65	4.8	0.23	-8.2	12, 9, 3, 9	2
HK Tau.....	M0.5	0.45	1.65	320	...	...	1.10	-6.5	12, 12, 10	1
LkCa 8.....	M0	0.53	1.48	370	3.25	5.1	0.15	-9.1	12, 9, 3, 9	2
RW Aur B.....	K5	0.96	1.09	580	...	...	...	-8.8	19, 19, 19	1
SU Aur.....	G2	2.02	3.27	490	1.7	2.3	...	-8.0	12, 12, 6, 8	1
TW Hya.....	K7	0.75	1.04	520	2.80	7.3	...	-9.3	18, 18, 13, 14	6
UY Aur.....	M0	0.54	1.30	400	...	...	0.40	-7.6	11, 11, 11	4
UZ Tau E.....	M1	0.43	1.39	340	...	...	0.73	-8.7	19, 19, 19	1
UZ Tau W.....	M2	0.33	1.88	260	...	...	...	-8.0	11, 11, 11	1
V836 Tau.....	K7	0.71	1.43	440	7.0	9.6	0.05	-8.2	12, 12, 16, 10	2
YY Ori.....	K7	0.68	3.00	290	7.58	4.8	1.80	-5.5	10, 10, 1, 10	1

NOTES.—Col. (2): Spectral type. Col. (3): Stellar mass in  $M_{\odot}$ . Col. (4): Stellar radius in  $R_{\odot}$ . Col. (5): Stellar escape velocity in  $\text{km s}^{-1}$ , calculated from cols. (3) and (4). Col. (6): Rotation period in days. Col. (7): Corotation radius in  $R_*$ , calculated from cols. (3), (4), and (6). Col. (8): Median veiling at 5700 Å from HEG95. Col. (9): Logarithm of the mass accretion rate in  $M_{\odot} \text{ yr}^{-1}$ . Col. (10): References for the spectral type, stellar luminosity (to determine  $M_*$  and  $R_*$ ), rotation rate (where available), and mass accretion rate. Col. (11): Number of spectra acquired with NIRSPEC.

REFERENCES.—(1) Bertout et al. 1996; (2) Bouvier et al. 1986; (3) Bouvier et al. 1993; (4) Bouvier et al. 1995; (5) Bouvier et al. 2007b; (6) DeWarf et al. 2003; (7) Guenther & Hessman 1993; (8) Gullbring et al. 2000; (9) Gullbring et al. 1998; (10) HEG95; (11) Hartigan & Kenyon 2003; (12) Kenyon & Hartmann 1995; (13) Lawson & Crause 2005; (14) Muzerolle et al. 2000; (15) Rostopchina 1999; (16) Rydgren et al. 1984; (17) Vrba et al. 1986; (18) Webb et al. 1999; (19) White & Ghez 2001.

the 38 CTTSs were observed twice and 1 was observed on three occasions. It also includes 33 additional spectra of 24 objects from that study, taken in 2005, 2006, and 2007. In EFHK06, 19 of 38 CTTSs showed red absorption at He I  $\lambda$ 10830. In the subsequent observing runs, He I  $\lambda$ 10830 red absorption was seen in two additional stars. Thus, the 21 of 38 CTTSs (55%) that have shown subcontinuum red helium absorption in at least one spectrum of 81 acquired between 2001 and 2007 form the sample for this paper. Among the 21 stars with helium red absorption, 12 were observed more than once, with 6 observed twice, 1 observed three times, 4 observed four times, and 1 observed six times. The EFHK06 sample was assembled to span the full range of mass accretion rates observed for CTTSs, from less than  $10^{-9}$  to  $\sim 10^{-6} M_{\odot} \text{ yr}^{-1}$ , with a median rate of  $10^{-8} M_{\odot} \text{ yr}^{-1}$ . Most of them are from the Taurus-Auriga star-forming region and have spectral types of K7 to M0. The members of the subset of 21 stars that are the focus of this paper are identified in Table 1, along with their spectral types, masses, radii, rotation periods, median veilings  $r_V$  at  $0.57 \mu\text{m}$ , and mass accretion rates from the literature. We have included  $r_V$  only for the 29 sources in common with HEG95, obtained more than a decade earlier. We also list the number of observations for each star.

As in the 2006 paper, the additional spectra were acquired with NIRSPEC on Keck II (McLean et al. 1998) using the N1 filter ( $Y$  band), which covers the range  $0.95\text{--}1.12 \mu\text{m}$  at a resolution  $R = 25,000$  ( $\Delta V = 12 \text{ km s}^{-1}$ ). The echelle order of primary interest extends from 1.081 to  $1.096 \mu\text{m}$  and contains both He I  $\lambda$ 10830 and Pa $\gamma$ . Spectra from the 2005–2006 season were acquired by G. Blake (2005 December 13) and D. Stark (2006 January 13). Those from 2006 November and December

were obtained by L. Hillenbrand, W. Fischer, S. Edwards, and C. Sharon. Finally, L. Hillenbrand obtained two additional spectra of TW Hya in 2007 December. Data reduction, including wavelength calibration and spatial rectification, extraction of one-dimensional spectra from the images, and removal of telluric emission and absorption features, is discussed in EFHK06. While we used an IRAF script to reduce the EFHK06 data, we used the IDL package REDSPEC by S. S. Kim, L. Prato, and I. McLean to reduce data acquired in the fall of 2006 and later. EFHK06 also describe the procedure for measuring photospheric lines to determine the  $1 \mu\text{m}$  veiling  $r_V$ , defined as the ratio of excess flux to photospheric flux near the He I  $\lambda$ 10830 line (see also Hartigan et al. 1989). After the veilings were determined, a nonaccreting template that was artificially veiled to match the observed CTTSs was subtracted from each target spectrum. This removed photospheric absorption lines from the He I  $\lambda$ 10830 and Pa $\gamma$  regions, which allowed for a more accurate definition of the remaining structure in each of these two lines.

We augmented the spectral templates from those of EFHK06, resulting in a reassessment of the  $1 \mu\text{m}$  veiling for one object. Recent determinations of the spectral type of BM And in the  $V$  band range from G8 (Guenther & Hessman 1993) to K5 (Mora et al. 2001). In EFHK06 we used an early-K star to deveil the 2002 spectrum of BM And. However, using our new grid of templates acquired in the fall of 2006, we found that the G8 dwarf HD 75935 provides a better match to the photosphere of BM And. Deveiling the 2002 spectrum of BM And with this template yields a veiling of 0.4, in contrast to the value of 0.1 reported in EFHK06. We adopt the more appropriate veilings for BM And in this work,  $r_V = 0.4$  in 2002 and  $r_V = 0.5$  in 2006. The veiling

determinations for all the other objects from EFHK06 are unaffected by our extended grid of templates.

We used the stellar mass, radius, and rotation period to calculate the escape velocity and the star-disk corotation radius for each star, which are included in Table 1 and will be used in later analysis of the accretion geometry. We carefully surveyed the literature to acquire the most up-to-date estimates of spectral types and stellar luminosities, using Kenyon & Hartmann (1995) and Gullbring et al. (1998) in most cases. The luminosity of YY Ori (HEG95) was updated to reflect the latest estimate of the distance to Orion (Menten et al. 2007), which is 10% less than the earlier value. Spectral types were converted into effective temperatures using the scale from Hillenbrand & White (2004), and stellar radii follow directly from application of the Stefan-Boltzmann law to the effective temperatures and luminosities. Stellar masses are then derived from the Siess et al. (2000) pre-main-sequence tracks, available online.<sup>5</sup> Since the escape velocity will be an important parameter in comparing observed profiles to model profiles, we have given some thought to its accuracy. With a dependency on  $M/R$ , the largest source of uncertainty in calculating the escape velocity is the uncertainty in  $T_{\text{eff}}$ , since temperature strongly affects both the mass and radius determination, while luminosity only weakly influences the radius estimate. We assess the typical error in the escape velocity to be  $\sim 20\%$ . For the 12 stars with rotation periods in the literature, we calculate corotation radii with a typical error of 20%, provided the photometric period is equivalent to the rotation period.

Three of the 21 objects are known members of binary pairs resolved in our spectra where we have observed only the primary: DK Tau A, HK Tau A, and UY Aur A. For another system, RW Aur, we have resolved spectra of RW Aur A and RW Aur B, but only the latter shows red absorption at He I  $\lambda 10830$  and thus qualifies as part of the sample for this study. There is conflicting evidence in the literature on whether RW Aur B has a close companion at an angular separation of  $0.12''$  with a  $K$ -band flux ratio of 0.024 (Ghez et al. 1993; Correia et al. 2006). In our spectra we see the lines of only one object consistent with a K5 spectral type, and we call this RW Aur B. An additional two objects are unresolved binaries: UZ Tau E and UZ Tau W. For these, we also see lines from only one star and attribute the  $1 \mu\text{m}$  continuum and line profiles to the primary.

### 3. EMPIRICAL RESULTS

In this study we concentrate on the red absorption seen at He I  $\lambda 10830$  as a probe of the accreting gas, ignoring the blue absorption that arises from disk and stellar winds (KEF07). For each spectrum of the 21 stars that show subcontinuum redshifted He I  $\lambda 10830$  absorption at least once, Table 2 lists the HJD of the observation, the  $1 \mu\text{m}$  veiling, and the measurements of the red absorption. In this section we first compare the veilings of the stars in this study to those from the ensemble of 38 CTTs in EFHK06, and then we present the profiles and kinematic data for the reference sample, consisting of the single observation of each star with the deepest red absorption (identified with an asterisk in Table 2). Next, we demonstrate that the propensity for He I  $\lambda 10830$  to absorb all impinging  $1 \mu\text{m}$  photons provides a means of estimating the origination radius in the disk for infalling gas and the filling factor of accreting material immediately before the accretion shock. We conclude the section with a discussion of profile and veiling variability.

#### 3.1. Veiling and Redshifted Absorption

Our additional observations beyond those in EFHK06 confirm the result reported therein, that subcontinuum redshifted absorption is more prevalent in CTTs with low veiling. We illustrate this in Figure 1, where the equivalent width of the redshifted He I  $\lambda 10830$  absorption below the continuum is plotted against both the simultaneous  $1 \mu\text{m}$  veiling  $r_V$  and the nonsimultaneous optical veiling  $r_Y$  for the 38 CTTs in EFHK06. The 21 CTTs that are the focus of this study, showing redshifted absorption at least once among 46 spectra, are each identified by name. The remaining 17 CTTs that have not yet been seen to show redshifted absorption among 35 spectra acquired to date appear as plus signs (but can be identified from EFHK06). All points in the figure are averages for objects with multiple observations taken between 2001 and 2007.

We have included the optical veiling measurements in Figure 1 because it is the excess emission at optical and shorter wavelengths that is associated with luminosity from accretion shocks and is the basis for deriving disk accretion rates. Note that the range of veilings is different at each of the two wavelengths, with maxima of  $r_V = 9.6$  and  $r_Y = 2$ , and that although all CTTs show detectable veiling in the optical (HEG95), 7 of 38 have no detectable veiling at  $1 \mu\text{m}$ . (All the CTTs with  $r_Y = 0$  do show He I  $\lambda 10830$  and Pa $\gamma$  in emission, differentiating them from WTTs.) Despite these differences, objects with low  $r_V$  have low  $r_Y$ , and objects with high  $r_V$  have high  $r_Y$ , clarifying that the  $1 \mu\text{m}$  veiling is a rough proxy for optical/UV veiling and disk accretion rate and that variations in the disk accretion rate are relatively modest over timescales of a decade. The proportionality between  $r_Y$  and disk accretion rate is further corroborated by the excellent correlation between  $r_Y$  and the equivalent width of Pa $\gamma$  emission (EFHK06), assuming that the equivalent width of Pa $\gamma$ , like that of Pa $\beta$ , is correlated with accretion rate (Muzerolle et al. 1998; Folha & Emerson 2001; Natta et al. 2004).

The prime message from Figure 1 is that when the veiling is high,  $r_Y > 0.5$  or  $r_V > 2$ , red absorption at He I  $\lambda 10830$  is rare. Although the number of observations of each of the 38 stars ranges from one to six, we note that out of a total of 25 observations of the nine objects with  $r_Y > 0.5$ , only once, in one of four observations of the highest veiling object DR Tau, did a weak redshifted absorption appear. In contrast, out of the 56 total spectra of the 29 objects with  $r_Y \leq 0.5$  or  $r_V \leq 2$ , redshifted absorption is detected in 37 spectra. Even with our nonuniform sampling of individual objects, it is clear that the frequency of redshifted absorption in CTTs with the highest veilings, seen in only 4% (1 of 25) of the total spectra of nine objects, is significantly lower than that in CTTs with more modest veilings, where red absorption is seen in 66% (37 of 56) of the total spectra of 29 objects. Spectral variability for these objects is discussed in § 3.4.

#### 3.2. Line Profiles and Subcontinuum Absorption

He I  $\lambda 10830$  profiles for the 21 CTTs that have shown subcontinuum redshifted absorption at least once are presented in Figure 2. This set of profiles is for the reference sample, and the profiles are ordered by their simultaneous  $1 \mu\text{m}$  veiling. The part of the profile we identify as the red absorption component is delineated in Figure 2 by shading. As noted above, the reference sample contains the profile with the deepest red absorption at He I  $\lambda 10830$  for each star (in contrast to the reference sample from EFHK06 that emphasized blueshifted absorption from winds). The full set of profiles observed for the 12 stars with multiple spectra appears in § 3.4, where we discuss variability.

<sup>5</sup> See <http://www-astro.ulb.ac.be/~siess/server/hrdfind.html>.

TABLE 2  
VEILINGS AND MEASUREMENTS OF He I  $\lambda$ 10830 SUBCONTINUUM RED ABSORPTION

Object (1)	HJD (2)	$r_\gamma$ (3)	$W_\lambda$ ( $\text{\AA}$ ) (4)	$D_{\max}$ (%) (5)	$V_C$ ( $\text{km s}^{-1}$ ) (6)	FWQM ( $\text{km s}^{-1}$ ) (7)	$V_{\text{blue}}$ ( $\text{km s}^{-1}$ ) (8)	$V_{\text{red}}$ ( $\text{km s}^{-1}$ ) (9)
AA Tau	605.0	0.2	0.5	14	185	120	110	250
	606.9	0.1	1.9	42	110	170	40	250
	1718.0*	0.0	4.5	61	90	310	-40	310
	2069.0	0.1	0.9	24	50	70	0 <sup>a</sup>	80
BM And	604.8	0.4	2.3	28	115	260	-20	290
	2068.7*	0.5	2.9	40	90	270	-40	280
CI Tau	605.9	0.2	1.3	17	140	290	10	310
CY Tau	606.8	0.1	1.0	27	140	120	80	230
	1718.0*	0.0	1.1	37	140	100	80	240
	2068.8	0.2	0.0	...	...	...	...	...
DK Tau	604.9	0.5	2.1	28	145	290	20	330
	606.9	0.5	1.9	37	80	240	0 <sup>a</sup>	280
	1748.9*	0.0	3.1	40	150	320	-20	340
	2068.9	0.4	1.9	34	95	290	0 <sup>a</sup>	310
DN Tau	606.0	0.0	1.3	30	145	170	60	250
	1718.0*	0.0	1.2	33	150	140	70	260
DR Tau	605.0	2.0	0.0	...	...	...	...	...
	606.0	2.0	0.0	...	...	...	...	...
	606.9*	2.0	0.7	14	235	160	150	320
	2069.1	3.5	0.0	...	...	...	...	...
DS Tau	605.9	0.4	1.1	18	205	240	90	340
FP Tau	605.0	0.1	0.5	17	50	120	0 <sup>a</sup>	120
GI Tau	606.0	0.1	3.1	47	160	230	50	330
	2069.8*	0.0	3.3	52	180	240	50	350
GK Tau	606.0	0.3	0.0	...	...	...	...	...
	2069.8*	0.1	0.5	11	160	140	50	220
HK Tau	606.1	0.4	0.5	17	75	100	30	140
LkCa 8	604.9*	0.05	1.4	32	160	160	70	280
	2068.9	0.1	1.2	24	125	190	40	250
RW Aur B	605.1	0.1	2.8	43	160	230	50	330
SU Aur	607.0	0.0	1.6	35	50	180	-50	150
TW Hya	605.2	0.0	0.0	...	...	...	...	...
	606.1	0.0	0.0	...	...	...	...	...
	1718.1*	0.1	1.4	32	245	170	170	370
	2069.1	0.1	0.9	17	255	170	170	350
	2452.1	0.0	0.8	17	230	190	150	350
	2453.1	0.1	0.7	14	240	190	160	330
UY Aur	605.0	0.4	0.4	14	160	110	110	220
	607.0	0.4	0.4	12	160	110	100	220
	1718.1*	0.2	0.7	20	160	130	90	240
	2069.9	0.3	0.5	13	160	120	90	230
UZ Tau E	605.9	0.3	0.2	8	185	60	150	210
UZ Tau W	605.9	0.1	0.6	18	75	140	20	170
V836 Tau	606.0*	0.0	1.7	35	160	170	80	300
	1749.0	0.0	0.0	...	...	...	...	...
YY Ori	607.1	0.4	2.1	37	225	210	110	390

NOTES.—Col. (2): Heliocentric Julian Date (2,452,000+); for multiple observations, an asterisk indicates membership in the reference sample. Col. (3): Veiling at  $1 \mu\text{m}$ . Col. (4): Equivalent width of red absorption below the continuum. Col. (5): Percentage of the continuum absorbed at the deepest point of the profile. Col. (6): Centroid of the red absorption. Col. (7): Width at one-quarter of red absorption minimum. Col. (8): Minimum velocity of red absorption. Col. (9): Maximum velocity of red absorption.

<sup>a</sup> The true minimum velocity is obscured by central absorption; we assume  $V_{\text{blue}} = 0$ .

The reference sample is used in all subsequent analysis unless we are explicitly considering profile or veiling variations.

The uniqueness of the He I  $\lambda$ 10830 line in the study of accreting gas is immediately seen by comparing it to the Pa $\gamma$  profile found in the same NIRSPEC order. This comparison is made in Figure 3, which zooms in on the red side of the profile for each of the 21 objects in the reference sample, sorted now by the equivalent width of the He I  $\lambda$ 10830 red absorption. (We have ignored the blue half of the line in order to draw attention to the red absorption;

full Pa $\gamma$  profiles can be found in EFHK06.) Only 5 of 21 (24%) stars show red absorption at both He I  $\lambda$ 10830 and Pa $\gamma$ , and when seen, it is considerably weaker at Pa $\gamma$ . Specifically, the maximum depth of red absorption seen at Pa $\gamma$  is 21% of the continuum, compared to 61% for  $\lambda$ 10830, and the maximum equivalent width is 1.1  $\text{\AA}$ , versus 4.5  $\text{\AA}$  at  $\lambda$ 10830. Surprisingly, the three stars with the strongest helium absorption (AA Tau, GI Tau, and DK Tau) show no absorption at Pa $\gamma$ , while the three stars with the strongest Pa $\gamma$  absorption (TW Hya, BM And, and YY Ori) have intermediate

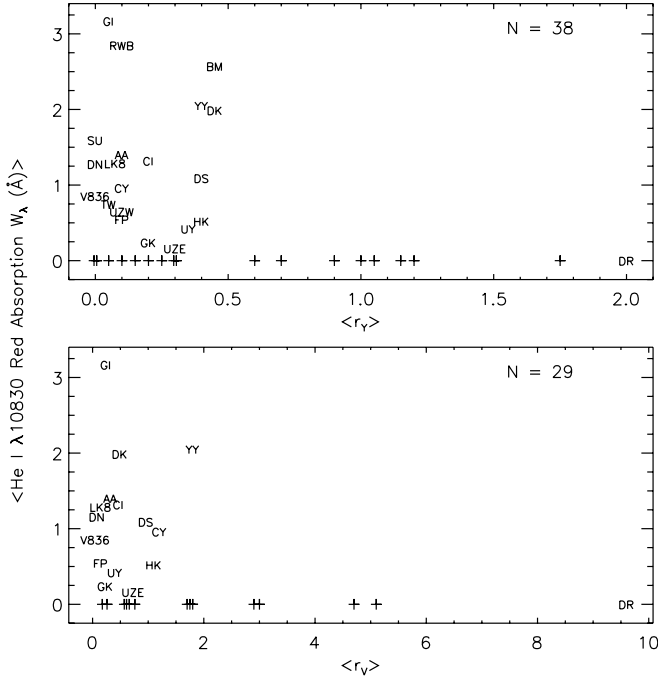


FIG. 1.—Equivalent width of red absorption at He I  $\lambda 10830$  vs. veiling for CTTs from EFHK06. The top panel shows the relation for the simultaneously measured  $1 \mu\text{m}$  veiling  $r_\gamma$  for all 38 CTTs, using averages for stars with multiple observations. The 21 stars featured here show helium red absorption in at least one observation and are labeled with abbreviations of their names. The 17 that have not been observed to show red absorption are identified with plus signs. The bottom panel plots the same equivalent width data vs. the average of optical veiling measurements ( $\lambda = 5700 \text{ \AA}$ ) from HEG95, obtained a decade before the NIRSPEC campaign, which exist for 29 of the EFHK06 stars. In this and future scatter plots, points that would otherwise overlap are slightly offset for clarity.

helium absorption, although their  $\text{Pa}\gamma$  absorption does share similar velocity structure with their helium absorption. In models for H line formation in magnetospheric accretion scenarios, inverse P Cygni absorption is seen only when the accretion rate is favorable and the line of sight is directed toward the hot continuum in the accretion shock. In contrast, our data indicate a much wider range of formation conditions for red absorption at He I  $\lambda 10830$ , which offers a unique probe of the infalling gas projected in front of the stellar surface by absorbing continuum photons from both the star and the accretion shock.

The measured parameters of the He I  $\lambda 10830$  red absorption, i.e., the section of the profile shaded in Figure 2, are listed for each observation in Table 2, with an asterisk identifying the spectrum in the reference sample for stars with multiple observations. Parameters include the equivalent width  $W_\lambda$ , the depth of maximum penetration into the continuum  $D_{\text{max}}$ , the centroid velocity  $V_C$ , and the width measured at one-quarter of the absorption minimum, FWQM. We also tabulate velocities at the blueward and redward edges of the absorption,  $V_{\text{blue}}$  and  $V_{\text{red}}$ . In most cases,  $V_{\text{blue}}$  is easily identified as the location where emission sharply transitions to red absorption. On the other hand, the gradual return to the continuum at the high-velocity end makes  $V_{\text{red}}$  less straightforward to measure. In order to have a uniform definition for all stars, we conservatively define  $V_{\text{red}}$  as the velocity where the absorption reaches 95% of the continuum level, with the consequence that it is somewhat smaller than the extreme infall velocity. Histograms illustrating the diversity of these parameters are given in Figure 4. The equivalent widths range from 0.2 to 4.5  $\text{\AA}$ , maximum penetrations into the continuum range from 8% to 61%, centroids range from 50 to 255  $\text{km s}^{-1}$ , and FWQM ranges from 60 to

320  $\text{km s}^{-1}$ . In many stars the absorption begins near the stellar rest velocity, so the FWQM reflects the true width of the absorbing velocities. In others  $V_{\text{blue}}$  is well redward of the rest velocity (e.g., DR Tau and TW Hya) due to the presence of helium emission that is likely from another region, such as the wind, that is filling in the red absorption and reducing its magnitude.

### 3.3. Maximum Infall Velocities

Without assuming any particular infall geometry, we can estimate the outer extent of an accretion flow by comparing the most redward velocity in an absorption profile with the stellar escape velocity. A particle undergoing ballistic infall from a distance  $R$  toward a star of mass  $M_*$  and radius  $R_*$  has a free-fall speed at a distance  $r$  of

$$v_{\text{ff}} = \left[ \frac{2GM_*}{R_*} \left( \frac{R_*}{r} - \frac{R_*}{R} \right) \right]^{1/2} = V_{\text{esc}} \left( \frac{R_*}{r} - \frac{R_*}{R} \right)^{1/2}, \quad (1)$$

where  $V_{\text{esc}}$  is the escape velocity from the surface of the star. The largest infall velocity achieved in the funnel flow, immediately before impact, is thus set by the maximum distance where infalling gas leaves the disk,  $R_{\text{max}}$ , i.e.,  $V_{\text{max}} = V_{\text{esc}}(1 - R_*/R_{\text{max}})^{1/2}$ . We can then use the velocity of the red edge of the He I  $\lambda 10830$  absorption,  $V_{\text{red}}$ , as an indicator for  $V_{\text{max}}$  and hence determine  $R_{\text{max}}$ . The depth of the absorption near  $V_{\text{red}}$  will then indicate the filling factor of infalling gas immediately before it impacts the photosphere. However, because of projection effects and the conservative assumption for measuring  $V_{\text{red}}$ , this gives a lower limit to the actual  $V_{\text{max}}$ , and thus the corresponding inferred maximum distance for infall,  $R_{\text{red}}$ , will be a lower limit to the actual value of  $R_{\text{max}}$ . Thus,  $V_{\text{max}} \geq V_{\text{red}}$ , and with  $R_{\text{max}}$  in units of  $R_*$ , we have

$$R_{\text{max}} \geq (1 - V_{\text{red}}^2/V_{\text{esc}}^2)^{-1} \equiv R_{\text{red}}. \quad (2)$$

In Table 3 we list  $V_{\text{red}}$ ,  $V_{\text{esc}}$ , and their ratio, followed by the implied  $R_{\text{red}}$ . Figure 5 shows the locations of the 21 observations of the reference sample in the  $(V_{\text{red}}, V_{\text{esc}})$  space, as well as dotted lines corresponding to  $V_{\text{red}}/V_{\text{esc}}$  values of 0.94, 0.87, 0.71, and 0.30, or  $R_{\text{red}} = 8R_*$ ,  $4R_*$ ,  $2R_*$ , and  $1.1R_*$ , respectively. The average value of  $R_{\text{red}}$  is  $2.9R_*$ , and the median is  $1.9R_*$ , where we adopt  $R_{\text{red}} \geq 8R_*$  for the three stars with  $V_{\text{red}} > V_{\text{esc}}$ . Of these three outliers, YY Ori has  $V_{\text{red}}/V_{\text{esc}} = 1.4$ , which indicates an error in the stellar parameters, while the other two, DR Tau and DK Tau, have  $V_{\text{red}}$  values that are slightly larger than  $V_{\text{esc}}$  but within the estimated 20% uncertainty. If we used a less conservative estimate for  $V_{\text{red}}$  as the outermost redward velocity (see § 3.2), at a penetration depth of 2% rather than 5% of the continuum, then the median  $R_{\text{red}}$  would increase to  $2.9R_*$ .

In Figure 6 we compare  $R_{\text{red}}$  to  $R_{\text{co}}$  for the 12 stars with published rotation periods (listed in Table 1). For this group of stars, the median ratio of  $R_{\text{red}}$  to  $R_{\text{co}}$  is 0.4, which increases to 0.5 for the less conservative estimate of the maximum redward velocity and can increase further when projection effects are considered. This is well inside the corotation radius for most stars, but as is apparent from model profiles in § 4, for some viewing angles projection effects can result in a significant underestimate of  $R_{\text{max}}$  as determined from  $R_{\text{red}}$ . Three stars show  $R_{\text{red}}/R_{\text{co}} > 1.3$  (YY Ori, DR Tau, and DK Tau), indicating that infall originates close to or possibly outside corotation, unless the error in  $R_{\text{co}}$  is larger than the typical 20% uncertainty.

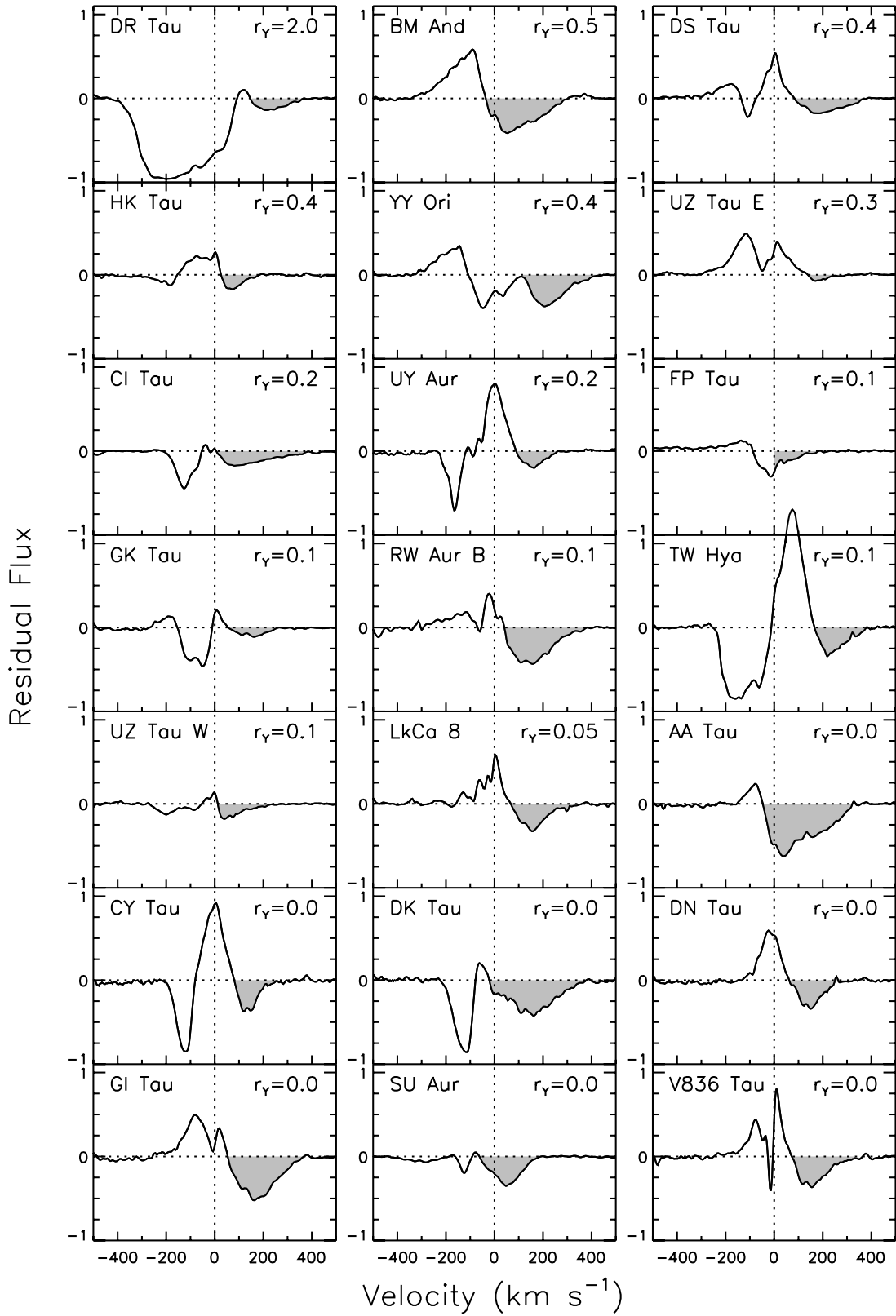


FIG. 2.—Reference sample of residual He I  $\lambda 10830$  profiles for the 21 CTTSs with subcontinuum redshifted absorption (*shaded area*), ordered by decreasing  $1 \mu\text{m}$  veiling  $r_\gamma$ . Since the veiled photospheric contribution has been subtracted, the continuum corresponds to zero on the flux axis, and total absorption of the continuum corresponds to  $-1$ . Velocities are relative to the stellar photosphere, and the spectra are plotted with 3 pixel binning.



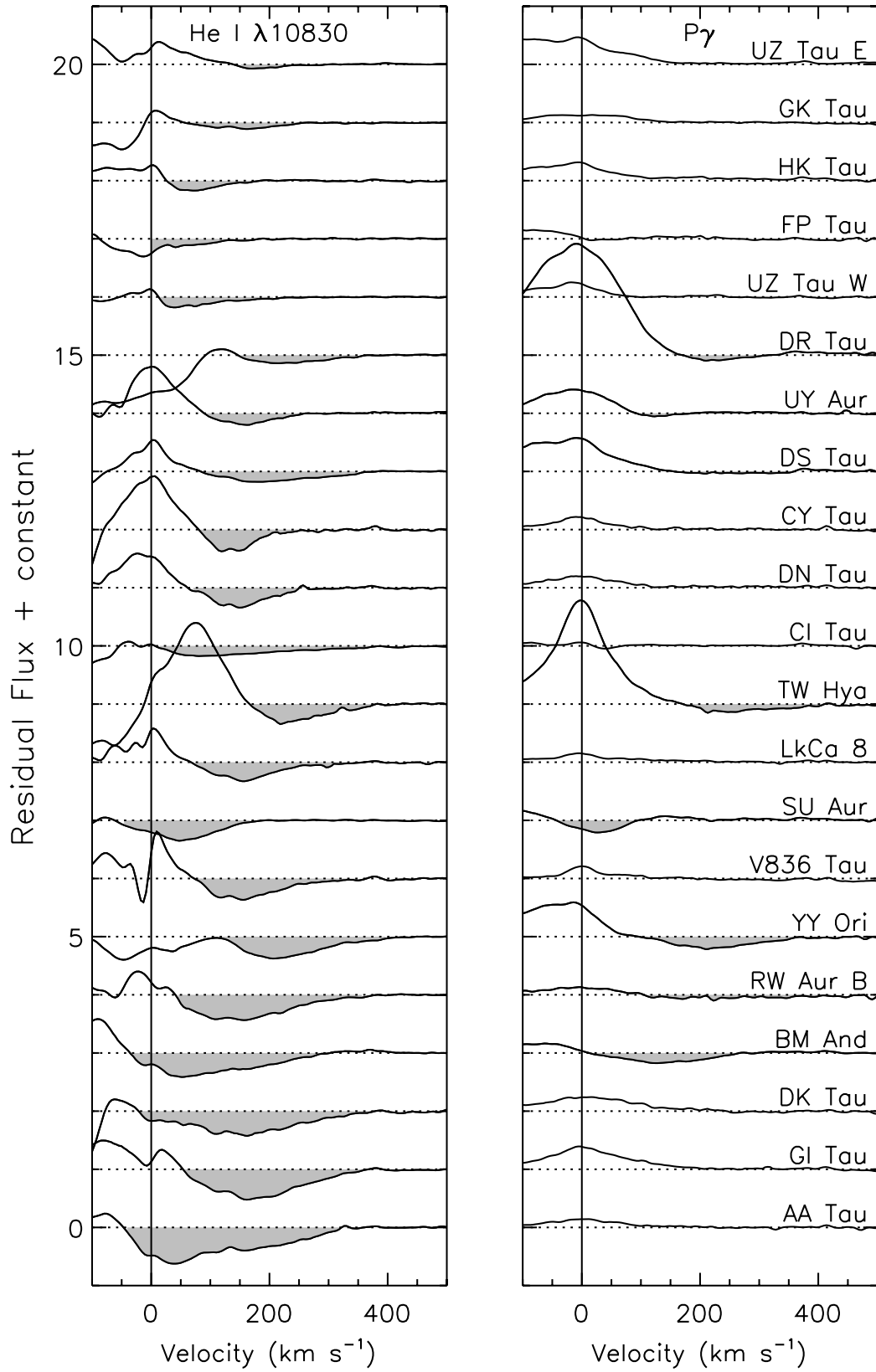


FIG. 3.—Comparison of the red half of He I  $\lambda 10830$  (left) and Pa $\gamma$  (right) profiles from the reference sample, arranged top to bottom in order of increasing He I  $\lambda 10830$  red absorption equivalent width. Subcontinuum absorption is shaded in both lines.

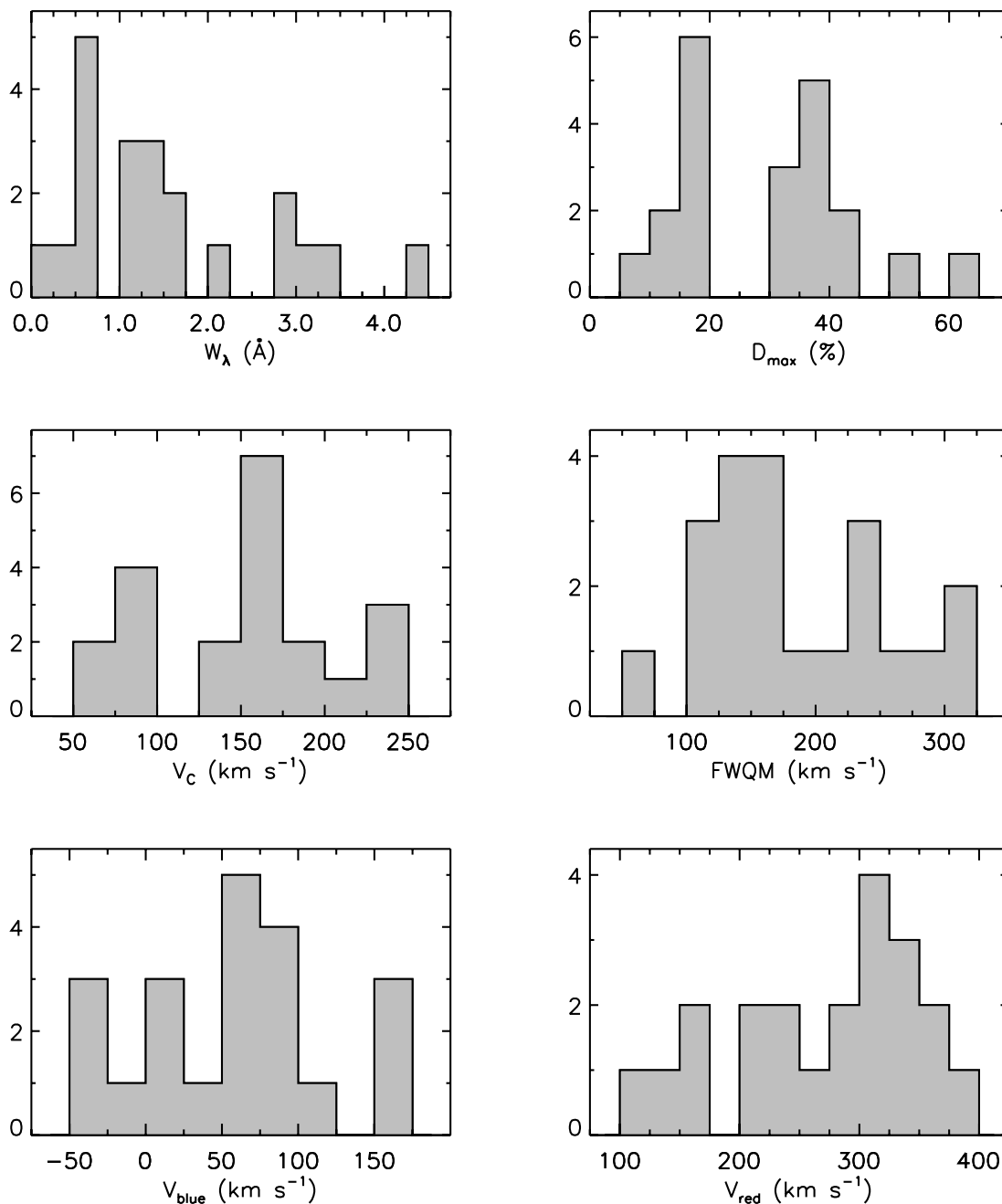


FIG. 4.—Histograms of red absorption profile measurements for the reference sample.

The projected area of the accretion flow immediately above the accretion shock can be equated to the depth of the absorption at the highest velocity in the red absorption profile. This estimate will be most reliable for objects where both (1)  $V_{\text{red}}$  is near  $V_{\text{esc}}$ , indicating that projection effects are not significantly altering our determination of the velocity just before impact, and (2) the  $1 \mu\text{m}$  veiling is near zero, indicating that the red absorption is solely due to scattering of stellar photons so the absorption depth at each velocity is the minimum percentage of the stellar surface that is obscured at that velocity. In the reference sample, three stars with  $V_{\text{red}} \geq 0.8V_{\text{esc}}$  and no  $1 \mu\text{m}$  veiling have significant absorption depths at  $0.9V_{\text{red}}$ : AA Tau (14%), DK Tau (10%), and GI Tau (10%). Their implied projected areas of material moving close to the escape velocity are an order of magnitude larger than the accretion shock filling factors estimated from

their optical continuum excesses (CG98). Although accretion flows do “funnel” into narrow columns as they arrive at magnetic footpoints on the stellar surface, the coverage fraction of the flow in typical dipole flow geometries diminishes by less than 50% from  $\sim 1.2R_*$  to  $R_*$  as the speed increases from  $\sim 0.9V_{\text{red}}$  to  $V_{\text{red}}$ , not by an order of magnitude. This hints that in at least several stars, a conventional dipolar accretion flow will have difficulty reconciling small shock filling factors with deep, broad red absorption.

### 3.4. Variability

The He I  $\lambda 10830$  profiles for the 12 CTTSs in this study with multiple spectra are shown in Figure 7, where for each star the full set of observed profiles is superposed and the range of simultaneous veilings is indicated. Since the time intervals are randomly

TABLE 3  
MAXIMUM INFALL DISTANCES AND COROTATION RADII

Object (1)	$V_{\text{red}}$ (2)	$V_{\text{esc}}$ (3)	$V_{\text{red}}/V_{\text{esc}}$ (4)	$R_{\text{red}}^a$ (5)	$R_{\text{co}}^b$ (6)	$R_{\text{red}}/R_{\text{co}}^c$ (7)
AA Tau.....	310	390	0.79	2.7	8.7	0.3
BM And.....	280	510	0.55	1.4	[6.3]	[0.2]
CI Tau.....	310	370	0.84	3.4	[6.3]	[0.5]
CY Tau.....	240	310	0.77	2.5	7.2	0.4
DK Tau.....	340	320	1.06	[ $\geq 8$ ]	6.1	[ $\geq 1.3$ ]
DN Tau.....	260	300	0.87	4.0	5.2	0.8
DR Tau.....	320	310	1.03	[ $\geq 8$ ]	5.9	[ $\geq 1.4$ ]
DS Tau.....	340	570	0.60	1.6	[6.3]	[0.3]
FP Tau.....	120	200	0.60	1.6	[6.3]	[0.3]
GI Tau.....	350	450	0.78	2.5	8.8	0.3
GK Tau.....	220	350	0.63	1.7	4.8	0.4
HK Tau.....	140	320	0.44	1.2	[6.3]	[0.2]
LkCa 8.....	280	370	0.76	2.3	5.1	0.5
RW Aur B.....	330	580	0.57	1.5	[6.3]	[0.2]
SU Aur.....	150	490	0.31	1.1	2.3	0.5
TW Hya.....	370	520	0.71	2.0	7.3	0.3
UY Aur.....	240	400	0.60	1.6	[6.3]	[0.3]
UZ Tau E.....	210	340	0.62	1.6	[6.3]	[0.3]
UZ Tau W.....	170	260	0.65	1.7	[6.3]	[0.3]
V836 Tau.....	300	440	0.68	1.9	9.6	0.2
YY Ori.....	390	290	1.34	[ $\geq 8$ ]	4.8	[ $\geq 1.7$ ]

NOTES.—For the reference sample only. Col. (2): Maximum velocity of He I  $\lambda 10830$  red absorption ( $\text{km s}^{-1}$ ). Col. (3): Escape velocity from the stellar surface ( $\text{km s}^{-1}$ ). Col. (5): Lower limit to maximum distance of infalling material ( $R_*$ ). Col. (6): Corotation radius ( $R_*$ ).

<sup>a</sup> Brackets indicate an assumed  $R_{\text{red}} \geq 8R_*$ , since  $V_{\text{red}} > V_{\text{esc}}$ .

<sup>b</sup> Brackets indicate that, since  $P_{\text{rot}}$  and thus  $R_{\text{co}}$  are unknown,  $R_{\text{co}}$  is set to the mean of the known values.

<sup>c</sup> Brackets indicate uncertainty due to one of the preceding conditions.

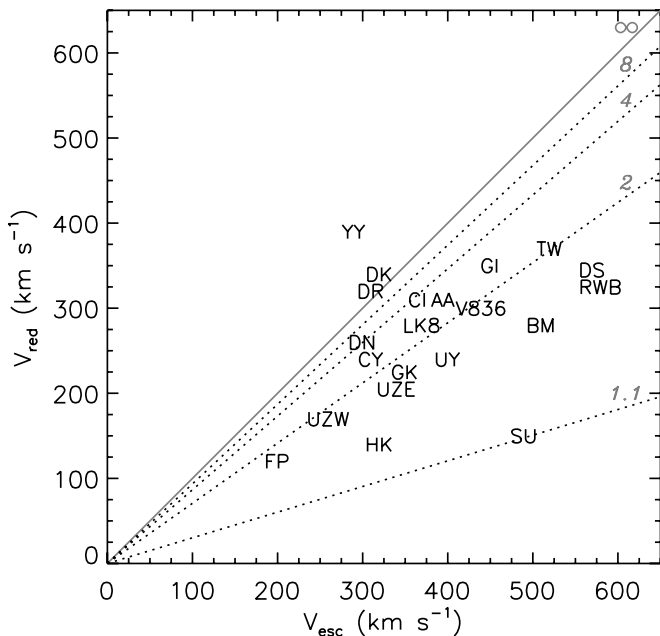


FIG. 5.—Velocity at the red edge of the He I  $\lambda 10830$  absorption ( $V_{\text{red}}$ ) vs. the stellar escape velocity ( $V_{\text{esc}}$ ) for the 21 profiles of the reference sample. The solid line represents  $V_{\text{red}} = V_{\text{esc}}$ , while the dotted lines represent the ratios of  $V_{\text{red}}$  to  $V_{\text{esc}}$  for ballistic infall from  $8R_*$ ,  $4R_*$ ,  $2R_*$ , and  $1.1R_*$ , assuming  $V_{\text{red}} = V_{\text{max}}$ .

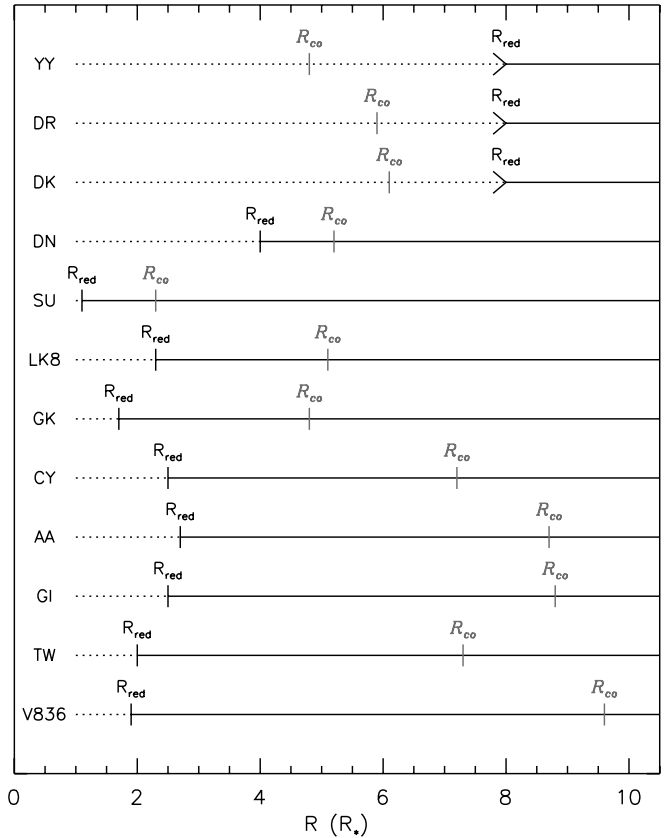


FIG. 6.—Graphical comparison between  $R_{\text{red}}$ , the minimum distance from the star of the outermost edge of the flow estimated from  $V_{\text{red}}$ , and  $R_{\text{co}}$ , the star-disk corotation radius, for the 12 stars with known  $P_{\text{rot}}$ . Sort is by  $R_{\text{red}}/R_{\text{co}}$ , which decreases from top to bottom. Lower limits to  $R_{\text{red}}$  are indicated by “greater than” symbols.

distributed, ranging from days to years, only very general statements about variability can be made. Three categories of variability are seen: (1) five objects always show redshifted absorption with little variation in the absorption morphology (BM And, UY Aur, LkCa 8, DN Tau, and GI Tau); (2) two objects always show red absorption, but the profile morphology changes dramatically (AA Tau and DK Tau); and (3) five objects have no redshifted absorption at one epoch but do show it at another epoch (DR Tau, GK Tau, TW Hya, CY Tau, and V836 Tau).

The five stars observed at least four times (AA Tau, DK Tau, DR Tau, TW Hya, and UY Aur) can be examined to see whether there is a relation between veiling and the He I  $\lambda 10830$  red absorption. The red absorption equivalent width is plotted against  $r_V$  for each observation of these five stars in Figure 8. For the star with little change in the morphology of its red absorption (UY Aur), the veiling varies by a factor of 2. For the two stars where redshifted absorption is always present but changes dramatically (AA Tau and DK Tau), the absorption is strongest when the veiling is lowest (i.e., not detected). For the two stars where redshifted absorption comes and goes (DR Tau and TW Hya), there is no relation between veiling and the strength of the absorption.

Each of the five stars with at least four observations was observed on at least two nights of a three-night run in 2002, providing a look at short-term variability and the possible role of rotation. Data points from this run appear in Figure 8 as open symbols, and the pair of asterisks for TW Hya are from a second set of two consecutive nights 5 years hence, in 2007. The only objects to show much variation over a timescale of days were DR Tau, which showed weak red absorption only on the last of

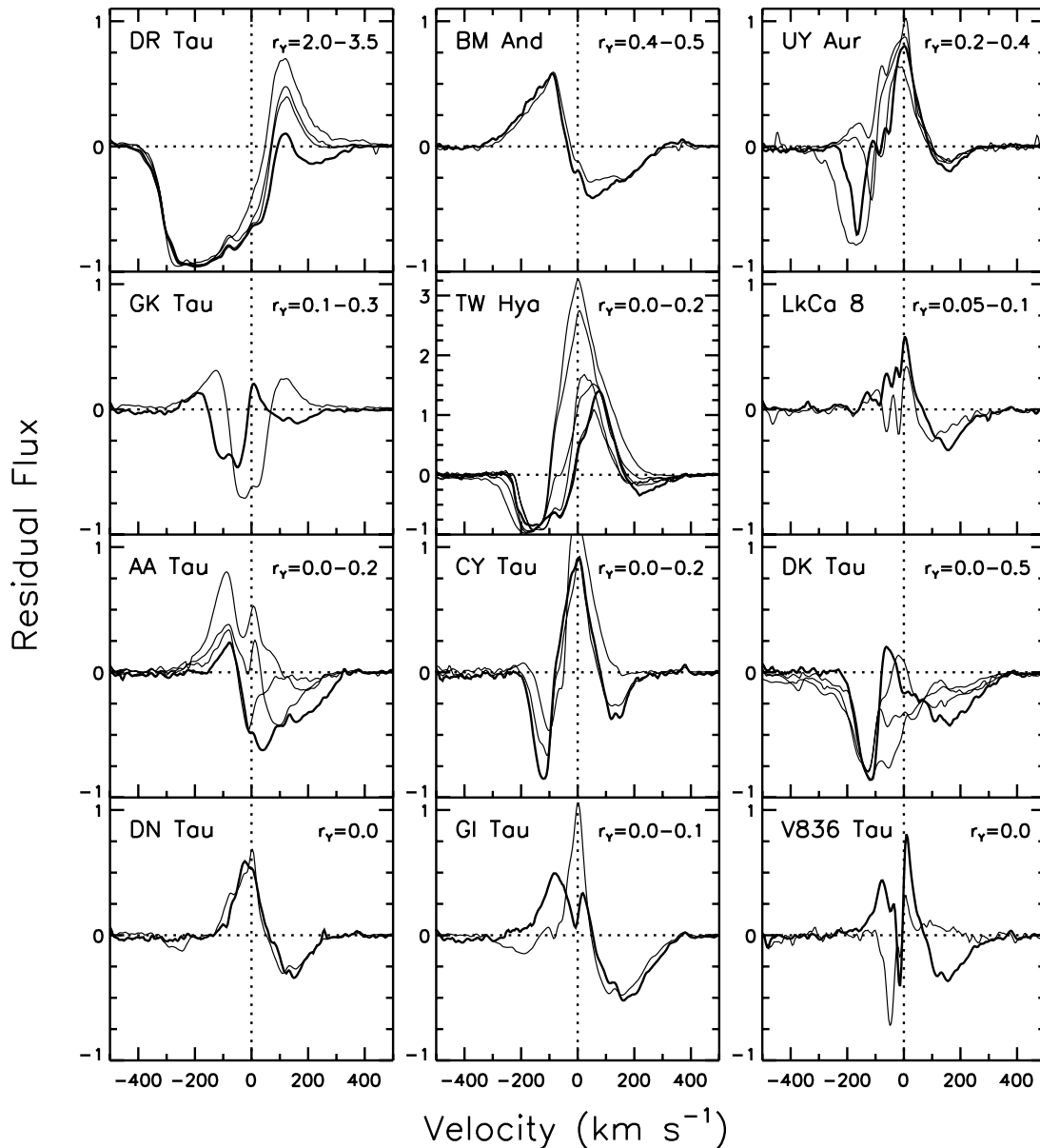


FIG. 7.—Residual He I  $\lambda 10830$  profiles of the 12 CTTSs that were observed more than once and that show subcontinuum redshifted absorption in at least one observation. The reference sample spectra are shown with thicker lines, and the range of observed  $1 \mu\text{m}$  veilings appears in each panel.

three consecutive nights in 2002, and AA Tau, which we now discuss further.

The variability of AA Tau at optical wavelengths has been thoroughly examined in the context of rotational modulation from a misaligned magnetosphere interacting with the inner disk (Bouvier et al. 1999, 2003, 2007b). Briefly, the system is close to edge-on, with an inclination angle of  $75^\circ$ , and the rotation period is 8.22 days. Phase zero corresponds to the epoch of maximum  $V$ -band flux, while phase 0.5 is characterized by a reduction in  $V$ -band flux due to occultation of the star by a warped disk. Accretion diagnostics are strongest near phase 0.5, with redshifted absorption appearing at  $H\alpha$  and  $H\beta$  between phase 0.39 and phase 0.52 accompanied by a rise in the optical veiling (measured between 5400 and 6700 Å) from 0.2 at phase zero to between 0.4 and 0.7 during the occultation phase.

To see whether our  $1 \mu\text{m}$  data of AA Tau are consistent with this picture, we adopt the 8.22 day rotation period, assign phase 0.51 to HJD 2,453,308 (Bouvier et al. 2007b), and convert our observation dates to rotation phases. Figure 9 shows the He I

$\lambda 10830$  and  $\text{Pa}\gamma$  profiles and veilings for each of our four observations, corresponding to projected phases from  $\sim 0$  to 0.4. The figure also plots the equivalent width of He I  $\lambda 10830$  red absorption against the derived phase, where each point is roughly aligned with its corresponding profiles. While He I  $\lambda 10830$  red absorption appears at all phases, it is weakest near phase zero and increases steadily to phase 0.39. The velocity at the red absorption edge ( $V_{\text{red}}$ ) also varies, increasing from  $250 \text{ km s}^{-1}$  near phase zero to  $310 \text{ km s}^{-1}$  at phase 0.39. In contrast,  $\text{Pa}\gamma$  shows red absorption only once, close to phase zero, when the  $1 \mu\text{m}$  veiling is also highest. If the phasing from the Bouvier epoch is accurate, then the deepest and widest red absorption at He I  $\lambda 10830$  occurs at the phase associated with maximum accretion effects in the optical when the line of sight pierces the disk warp and the accretion shock. However, this then means that the  $1 \mu\text{m}$  veiling and the  $\text{Pa}\gamma$  red absorption are out of phase with respect to optical veilings and profiles. Whether or not this phase projection is accurate, the profile sequence for He I  $\lambda 10830$  and  $\text{Pa}\gamma$  provides another illustration of the very different kinds of information

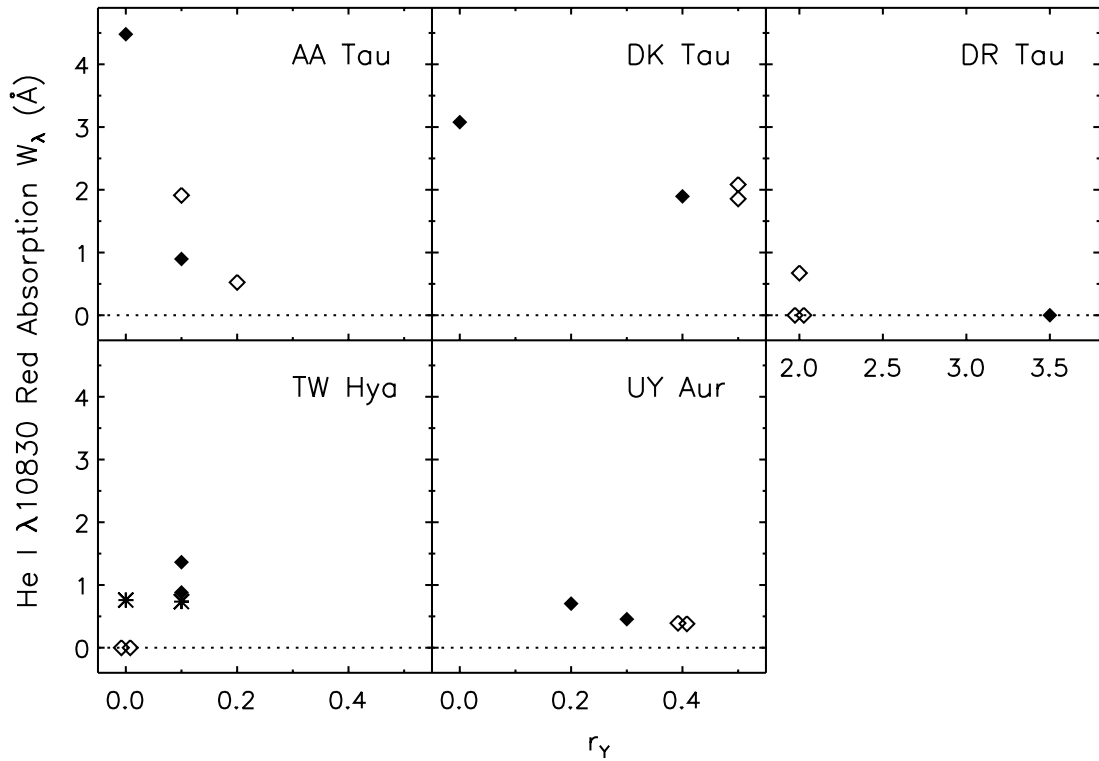


FIG. 8.—Equivalent width of red absorption at He I  $\lambda 10830$  vs. the  $1 \mu\text{m}$  veiling for stars with at least four observations and at least one helium profile with subcontinuum red absorption. Observations on contiguous days are represented by open symbols for 2002 and asterisks for 2007.

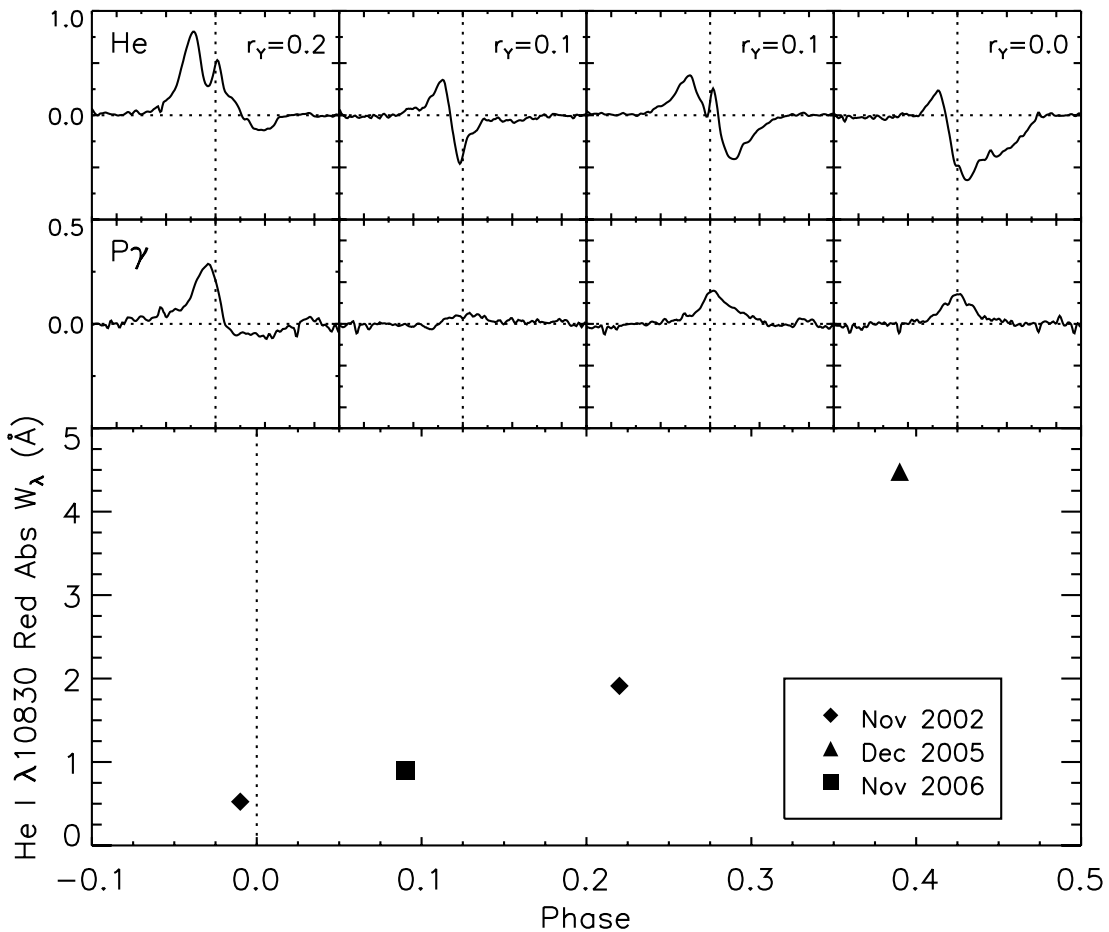


FIG. 9.—Relation between red absorption and rotational phase for four spectra of AA Tau (phased from Bouvier et al. 2007b). The He I  $\lambda 10830$  and Pa $\gamma$  profiles of AA Tau are shown above the corresponding equivalent width of the red absorption at He I  $\lambda 10830$  for each phase. Profiles are labeled with the simultaneous  $1 \mu\text{m}$  veiling, and their velocity axes run from  $-500$  to  $500 \text{ km s}^{-1}$ . For the helium line, the flux axis runs from  $-1$  to  $1$ , while for Pa $\gamma$ , it runs from  $-0.5$  to  $0.5$  to elucidate the morphology of the weaker profiles.

about the accretion flow that can be inferred from these two lines. Clearly, time-monitoring studies at  $1 \mu\text{m}$  will be revealing.

#### 4. SCATTERING MODELS AND COMPARISON TO OBSERVATIONS

Radiative transfer models of hydrogen lines arising in the accretion flow (Muzerolle et al. 2001; Symington et al. 2005; Kurosawa et al. 2006, 2008) have been successful in reproducing general characteristics of these lines in some stars. However, the models assume that all of the hydrogen emission arises in the funnel flow, they depend on an assumed temperature in the flow that is not well understood, and they are limited in their ability to constrain the accretion geometry. In this section, we take a new approach to understanding CTTS accretion flows, modeling the scattering of continuum photons by He I  $\lambda$ 10830 in the infalling gas. The lower level of the He I  $\lambda$ 10830 transition ( $2s^3S$ ) is 21 eV above the ground state, restricting its formation to regions near the star where the ionizing photon flux is high. Further, since the only permitted transition downward from the upper level ( $2p^3P^o$ ) is emission of a  $\lambda$ 10830 photon, we model this line as resonance scattering.

We first lay out the assumptions of our model, in which the accretion geometry is the commonly adopted dipolar flow, a geometrically flat disk is truncated by the innermost field lines, and all accreting field lines terminate in an accretion shock of uniform temperature at the stellar photosphere that generates a continuum excess observable as veiling. We then compare profiles generated from these models to the observed He I  $\lambda$ 10830 red absorption profiles. The basic dipolar flow is found lacking in a significant number of objects, so we then explore modifications to this geometry that better explain these observations.

##### 4.1. Basic Dipolar Flow

We first consider an axisymmetric dipolar field in which the stellar magnetic and rotational axes are aligned and an opaque accretion disk extends from an initial radius  $R_i$  to infinity in the equatorial plane. The outline of the overall structure of accretion from the disk to the star is completely specified by two parameters, although there is some flexibility in which two parameters we choose. One pair is  $R_i$  and  $R_f$ , which indicate the range in radial distance from the star, i.e.,  $R_i \leq R \leq R_f$ , over which the dipolar field lines that participate in accretion are distributed over the disk. Alternatively, we can specify  $\theta_i$  and  $\theta_f$ , which mark the range in polar angle, i.e.,  $\theta_f \leq \theta \leq \theta_i$  and  $(\pi - \theta_i) \leq \theta \leq (\pi - \theta_f)$ , where the same field lines are distributed at the stellar surface. The relation between the two pairs is apparent from the dipolar field structure, which stipulates that

$$R_{i,f} = R_* / \sin^2 \theta_{i,f}. \quad (3)$$

A third pair of parameters is  $F$  and  $R_0$ , where  $F = \cos \theta_f - \cos \theta_i$  is the fraction of the stellar surface outlined by the above field lines and  $R_0 = R_* / \sin^2 \theta_0$ , with  $\cos \theta_f - \cos \theta_0 = \cos \theta_0 - \cos \theta_i$ , marks the approximate median radius of where the accretion flow originates in the disk. The median field line originating at  $R_0$  will thus correspond to a median polar angle on the star of  $\theta_0$ . We find this pair of parameters to be instructive, since if the whole geometric structure is fully occupied by accreting gas, then  $F$  will equal  $f$ , the filling factor of the accretion shock. In this subsection, we consider  $F = f$  and thus use  $f$  to indicate both the fraction of the stellar surface outlined by the overall flow structure and the filling factor of shocked gas at the terminus of the accreting field lines, as in previous work by others.

TABLE 4  
MODEL MAGNETOSPHERIC GEOMETRY PARAMETERS

$R_0$ (1)	$\theta_0$ (2)	$F$ (3)	$f$ (4)	$r_\gamma$ (5)	$R_i$ (6)	$R_f$ (7)
Undiluted						
2.....	45	0.01	0.01	0.06	1.97	2.03
		0.05	0.05	0.33	1.87	2.16
		0.10	0.10	0.70	1.76	2.34
4.....	30	0.01	0.01	0.06	3.87	4.14
		0.05	0.05	0.33	3.42	4.85
		0.10	0.10	0.70	2.99	6.22
8.....	20.7	0.01	0.01	0.06	7.44	8.65
		0.05	0.05	0.33	5.84	12.9
		0.10	0.10	0.70	4.63	34.5
Diluted						
2.....	45	0.05	0.01	0.06	1.87	2.16
		0.10	0.01	0.06	1.76	2.34
		0.20	0.01	0.06	1.58	2.87
4.....	30	0.05	0.01	0.06	3.42	4.85
		0.10	0.01	0.06	2.99	6.22
		0.20	0.01	0.06	2.42	15.0
8.....	20.7	0.05	0.01	0.06	5.84	12.9
		0.10	0.01	0.06	4.63	34.5

NOTES.—Col. (1): Fiducial disk coupling radius ( $R_*$ ). Col. (2): Stellar impact angle in degrees from the pole. Col. (3): Fraction of the star over which the full range of magnetospheric footprints is distributed. Col. (4): Filling factor of accretion shocks on the stellar surface. Col. (5): Approximate  $1 \mu\text{m}$  veiling (eq. [4]). Col. (6): Innermost radius at which accreting material leaves the disk, as well as the disk truncation radius ( $R_*$ ). Col. (7): Outermost radius at which accreting material leaves the disk ( $R_*$ ).  $R_i$  and  $R_f$  follow directly from  $R_0$  and  $F$ .

The modeled values of  $R_0$  and  $f$  are chosen to sample the full range of plausible accretion flow sizes and filling factors. The values of  $R_0$ , taken to be  $2R_*$ ,  $4R_*$ , and  $8R_*$ , are consistent with the understanding that the accretion flow arises near the star-disk corotation radius (Ghosh & Lamb 1978; Königl 1991; Shu et al. 1994). The values of  $f$ , taken to be 0.01, 0.05, and 0.1, cover the range found from shock models of CG98. The top section of Table 4 lists the nine modeled combinations of  $R_0$  ( $\theta_0$ ),  $f$  ( $=F$ ), and the associated ranges ( $R_i$ ,  $R_f$ ) over which material leaves the disk. These configurations are visualized in Figure 10. (The bottom section of the table lists cases with  $F \neq f$ , which are explored beginning in § 4.2.) Three cases correspond closely to geometries used in previous models of magnetospheric accretion (Muzerolle et al. 2001). The case with  $R_0 = 4R_*$  and  $f = 0.01$  approximates their SN (small/narrow) case, the case with  $R_0 = 4R_*$  and  $f = 0.05$  approximates their SW (small/wide) case, and the case with  $R_0 = 8R_*$  and  $f = 0.01$  approximates their LW (large/wide) case.

For each model the veiling  $r_\lambda$  from the associated accretion shock, defined as the ratio of the continuum excess flux  $F_v$  to the stellar flux  $F_*$ , is determined by the blackbody temperatures of the star and hot gas from the shock, the magnitude of  $f$ , and the viewing angle. In all cases we assume a  $T_* = 4000$  K blackbody for the stellar continuum and a  $T_v = 8000$  K blackbody for the continuum from the accretion shock. This is a typical value found by CG98 from continuum excesses shortward of  $0.5 \mu\text{m}$ , although values as high as 10,000 K or as low as 6000 K are sometimes indicated. The veiling at wavelength  $\lambda$  is

$$r_\lambda \equiv \frac{F_v}{F_*} \approx \frac{I_\lambda^{\text{bb}}(T_v)}{I_\lambda^{\text{bb}}(T_*)} \left( \frac{f}{1-f} \right), \quad (4)$$

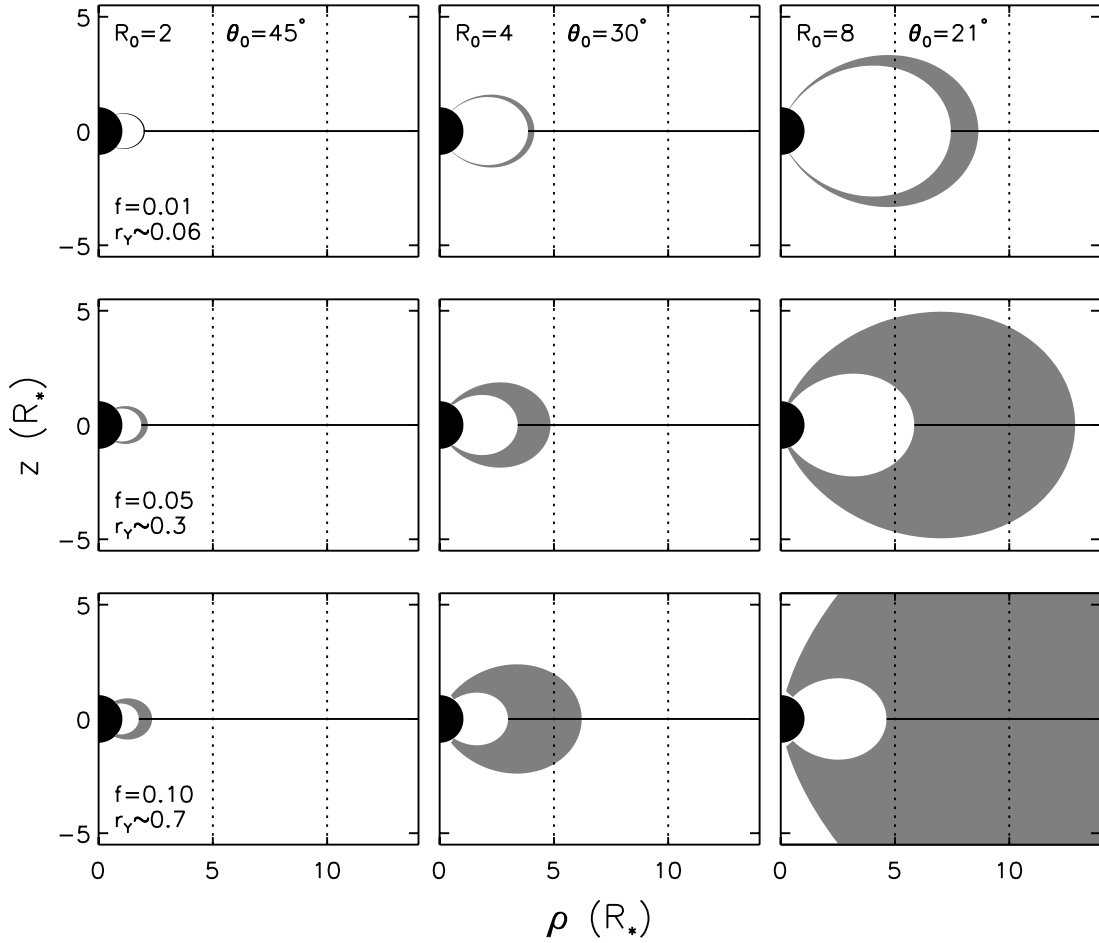


FIG. 10.—Schematic representations of accretion geometries used in scattering calculations for dipoles with  $F = f$ . The star is shown by black shading, the accretion flows are shown by gray shading, and the disk is shown by the solid line in the equatorial plane. Each column shows a different  $R_0$  ( $\theta_0$ ), and each row shows a different  $f$  with a corresponding  $r_\gamma$ . We note that in the extreme case of  $R_0 = 8R_*$  and  $f = 0.1$ , the accreting field lines thread the disk out to  $35R_*$ , so the shading in the bottom right panel extends far beyond the figure boundary.

where the approximate equality arises from setting the ratio of the projected areas of the two continua perpendicular to the line of sight, which depends on viewing angle, to simply  $f/(1-f)$ . Over the full range of viewing angles, the observed  $r_\lambda$  for the same  $f$  can vary by a factor of a few (see § 4.1.1).

The approximate value for  $r_\gamma$  from equation (4), without including the effect of viewing angle, is identified in Figure 10 for each of the three values of  $f$ . With our assumed temperatures, the ratio of the blackbody intensities from the veiling continuum and the photosphere  $I_\lambda^{\text{bb}}(T_v)/I_\lambda^{\text{bb}}(T_*)$  is 24.5 at  $\lambda = 5700 \text{ \AA}$  and 6.3 at  $\lambda = 1.08 \text{ \mu m}$ , so that for a typical observed  $f = 0.01$ , the approximate veilings at these wavelengths are  $r_V = 0.25$  and  $r_\gamma = 0.06$ . The corresponding ratio of  $r_V/r_\gamma \sim 4$  is preserved for all  $f$  and is independent of viewing angle.

The velocity of the flow has contributions from both free fall and rotation. The free-fall speed at a distance  $r$  from the star along a field line threading the disk at  $R$  is given by equation (1). Since the gas follows the field lines, the velocity vector takes the form

$$\mathbf{v}_{\text{ff}} = -v_{\text{ff}} \left[ \frac{3q^{1/2}(1-q)^{1/2}\hat{\rho} \pm (2-3q)\hat{z}}{(4-3q)^{1/2}} \right] \quad (5)$$

(Calvet & Hartmann 1992; Hartmann et al. 1994). Here  $q = \sin^2\theta$ , and  $(\hat{\rho}, \hat{\Phi}, \hat{z})$  are unit vectors in the cylindrical coordinate system. Above the equatorial plane, the plus sign applies, while below the

equatorial plane, the minus sign applies so that the flow is always from the disk to the star.

For the rotational component of the flow, the magnetosphere is assumed to rotate rigidly with velocity

$$\mathbf{v}_\phi = v_* \frac{\rho}{R_*} \hat{\Phi}, \quad (6)$$

where  $v_*$  is the rotation speed of the star at its equator, assumed here to be  $0.05V_{\text{esc}}$ , or  $15 \text{ km s}^{-1}$  when  $V_{\text{esc}} = 300 \text{ km s}^{-1}$ , a typical value for TTSS (Rebull et al. 2004 and references therein), and  $\rho$  is the cylindrical radial distance of a point from the rotation axis. Since the rotational motion is for the most part transverse to the line of sight for the absorbing gas seen projected in front of the star, it has a very small effect on the absorption part of the line profile.

The flow scatters continuum photons, which arise from the star and the accretion-heated photosphere. To maximize the red absorption, the  $\lambda 10830$  transition in the accreting flow is assumed to be optically thick. A rectangular line absorption profile with a  $10 \text{ km s}^{-1}$  half-width is adopted to account for thermal and turbulent broadening. Thus, if a particular ray from a point on the stellar surface intersects the accreting flow such that the projection of the gas velocity along the ray extends from  $v_{\text{min}}$  to  $v_{\text{max}}$ , then continuum photons from  $(v_{\text{min}} - 10 \text{ km s}^{-1})$  to  $(v_{\text{max}} + 10 \text{ km s}^{-1})$  are scattered. Because spontaneous emission is the dominant

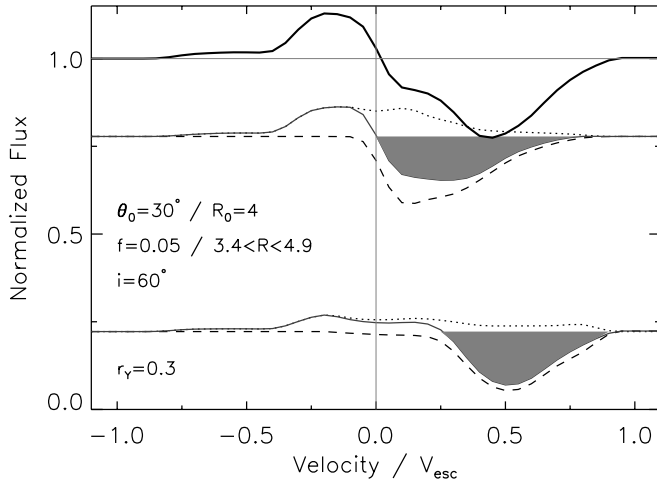


FIG. 11.—Example scattering profile for dipolar infall with  $\theta_0 = 30^\circ$  and  $F = f = 0.05$  (equivalently,  $R_0 = 4R_*$  and  $3.4 < R/R_* < 4.9$ ), viewed from an angle  $i = 60^\circ$ . The emergent profile (black line) is the sum of two components: the profile due to photons from the 4000 K stellar continuum (upper gray line) and the profile due to photons from the 8000 K veiling continuum (lower gray line). The veiling, shown in the lower left, is the ratio of the veiling continuum height to the stellar continuum height. Each component is further made up of two subprofiles: the absorption profile of the continuum (dashed lines) and the emission profile of scattered photons that escape toward the line of sight (dotted lines).

de-excitation route of the  $\lambda 10830$  upper state ( $2p^3P^o$ ) in comparison with other decay, collisional, or ionization processes, the photon absorption and subsequent reemission is in effect a resonant scattering process if the small fine-structure energy differences among the three sublevels are ignored. Rather than following the photon path in detail (e.g., with a Monte Carlo simulation), we simply assume a single scattering in which the absorbed photon is reemitted isotropically with the appropriate Doppler shift, and it either hits the star, hits the opaque flat disk, or escapes the system. While this is inconsistent with the assumption of an opaque line, we find that the exact contribution to the observed profile from the scattered photons has no significant bearing on our conclusions (see subsequent sections), so the extra effort is unwarranted.

The emergent spectrum at a particular viewing angle  $i$  is made up of photons that, either because they are not absorbed or because they are scattered, escape into a solid angle bin centered on  $i$ . For a random selection of  $i$  over  $4\pi$  sr,  $\cos i$  is uniformly distributed. Considering five viewing angles, we choose  $\cos i = 0.9, 0.7, 0.5, 0.3$ , and  $0.1$ , or  $i = 26^\circ, 46^\circ, 60^\circ, 73^\circ$ , and  $84^\circ$ .

#### 4.1.1. Basic Dipolar Flow: Results

Figure 11 shows an example of the components contributing to the emergent model profile in the case of  $R_0 = 4R_*$  ( $\theta_0 = 30^\circ$ ) and  $f = 0.05$  ( $3.4 \leq R/R_* \leq 4.9$ ), viewed at  $i = 60^\circ$ . The final

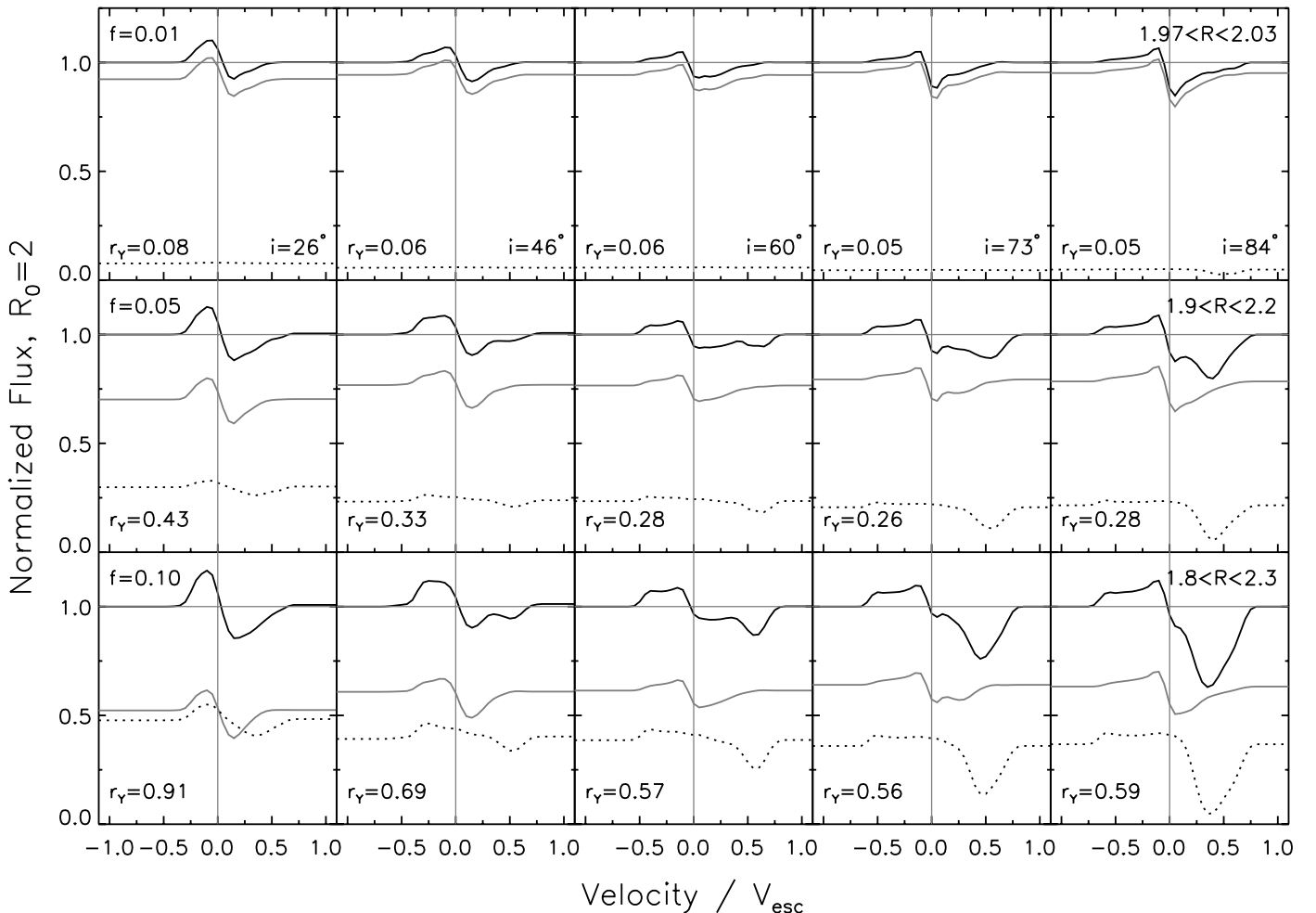


FIG. 12.—Scattering profiles for dipolar infall with  $R_0 = 2R_*$  ( $\theta_0 = 45^\circ$ ) and  $F = f$ . Each row shows a different value of  $f$ . Within each row, each panel shows the profile for a different viewing angle and the corresponding  $1 \mu\text{m}$  veiling  $r_\gamma$ . Emergent profiles (black lines) are the sum of the profiles from the stellar continuum ( $T = 4000$  K; gray lines) and the veiling continuum ( $T = 8000$  K; dotted lines). The optical veiling (at  $\lambda = 5700 \text{ \AA}$ ) is approximately 4 times greater than  $r_\gamma$ .



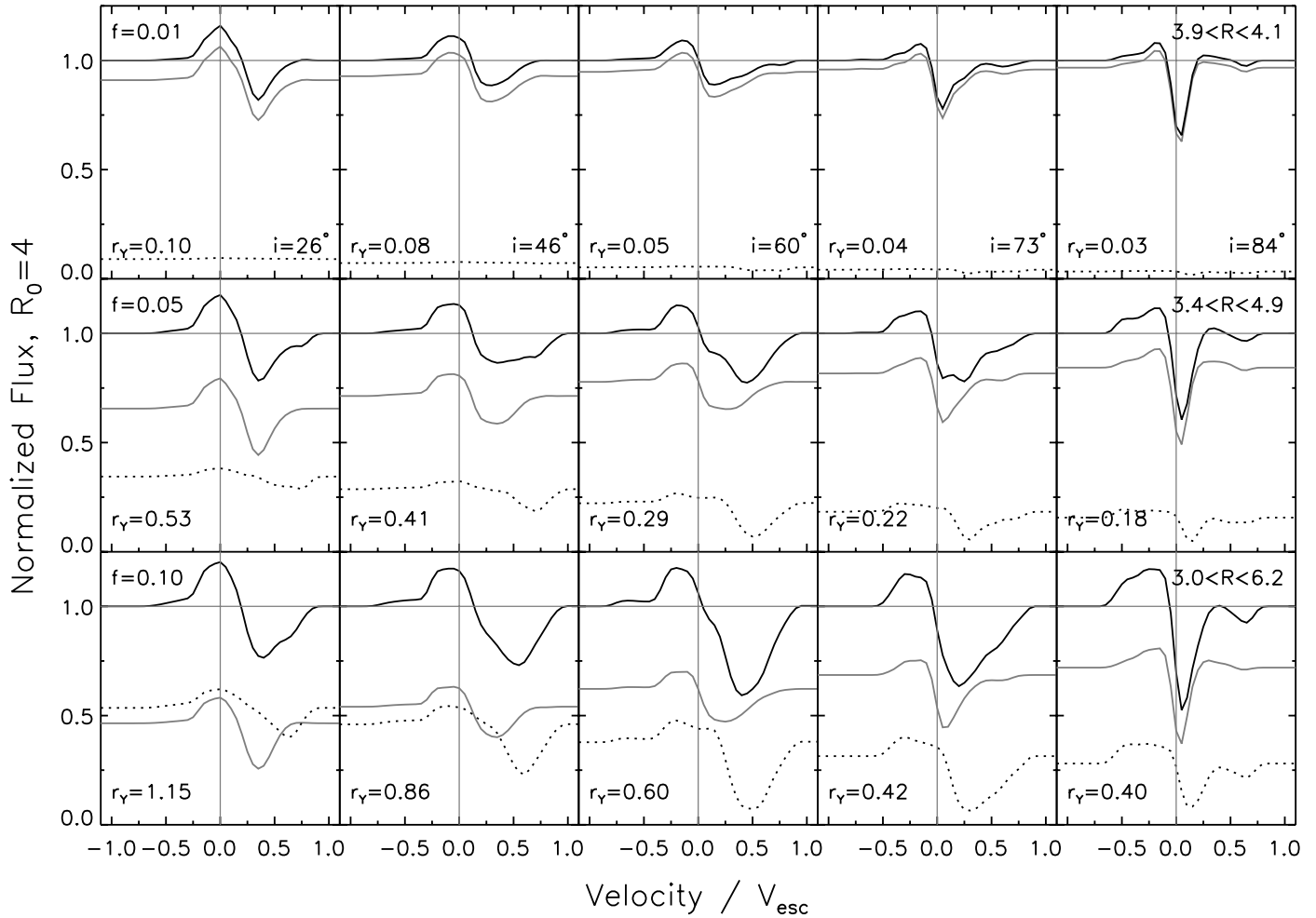


Fig. 13.—Scattering profiles for dipolar infall with  $R_0 = 4R_*$  ( $\theta_0 = 30^\circ$ ) and  $F = f$ , as in Fig. 12.

emergent spectrum (*black line*) is the sum of the contributions from the stellar and the veiling (accretion shock) continua, each shown separately (*gray lines*). The stellar contribution is the one with a normalized continuum level of 0.78 due to scattering of the 4000 K continuum, while the veiling contribution is the one with a normalized continuum level of 0.22 due to scattering of the 8000 K continuum. The ratio of these two continua,  $0.22/0.78 = 0.3$ , is the  $1 \mu\text{m}$  veiling  $r_Y$ , also noted in the figure. Each gray line is, further, the sum of two subcomponents. One, shown with dashed lines, is the absorption profile of the respective continuum. The other, shown with dotted lines, is the emission profile, produced by scattered photons that escape toward the specified line of sight. The emission subcomponent is both broad and weak, since scattered photons can be redshifted or blueshifted, and because for each photon absorbed, the ensuing emitted photon may hit the disk or star and not escape. Thus, the filling in of the red absorption by its own associated scattered emission is generally slight.

Figure 11 also illustrates an important aspect of the models: that the redshifted absorption in the emergent profile is affected differently by scattering of the stellar and veiling continua. In this model, with  $\theta_0 = 30^\circ$  and  $i = 60^\circ$ , the line of sight toward the veiling continuum intersects the portion of the accretion flow close to the star where the gas velocity is high (see Fig. 10), and scattering of the veiling continuum produces red absorption that extends from  $0.27V_{\text{esc}}$  to  $0.87V_{\text{esc}}$ . In contrast, the line of sight toward the stellar continuum intercepts portions of the accretion

column with smaller infall speeds, and a smaller velocity component is projected onto the line of sight. The red absorption thus produced ranges from  $\sim 0V_{\text{esc}}$  to  $0.74V_{\text{esc}}$  and is also shallower than the one from the veiling continuum. The resulting absorption profile is thus complex in shape and broader than either of the two individually, and in this case it has a maximum depth of about 20% into the summed continuum.

Figures 12, 13, and 14 show the full range of model profiles for the three chosen values of  $R_0$ :  $2R_*$ ,  $4R_*$ , and  $8R_*$ , respectively (corresponding to  $\theta_0 = 45^\circ$ ,  $30^\circ$ , and  $20.7^\circ$ ). In each figure, the three rows show (*top to bottom*) the three selections of  $f = 0.01$ ,  $0.05$ , and  $0.1$ . In each row, the five panels show the profiles for the five viewing angles, from  $i = 26^\circ$  to  $84^\circ$ . Within each of the 15 panels representing a unique combination of  $f$  and  $i$ , the final emergent profile is shown (*solid black curve*), along with the separate contributions from scattering of the veiling continuum (*dotted curve*) and the stellar continuum (*solid gray curve*), but not the subcomponents of absorption and scattered emission from each continuum source.

We emphasize the following points from these three figures:

1. When  $f = 0.01$ , the red absorption is dominated by scattering of the stellar continuum, generally showing small absorption equivalent widths and velocity widths. The profiles have a strong dependence on inclination, with shallow absorption at small inclinations and narrow, deeper, low-velocity absorption at high inclinations.

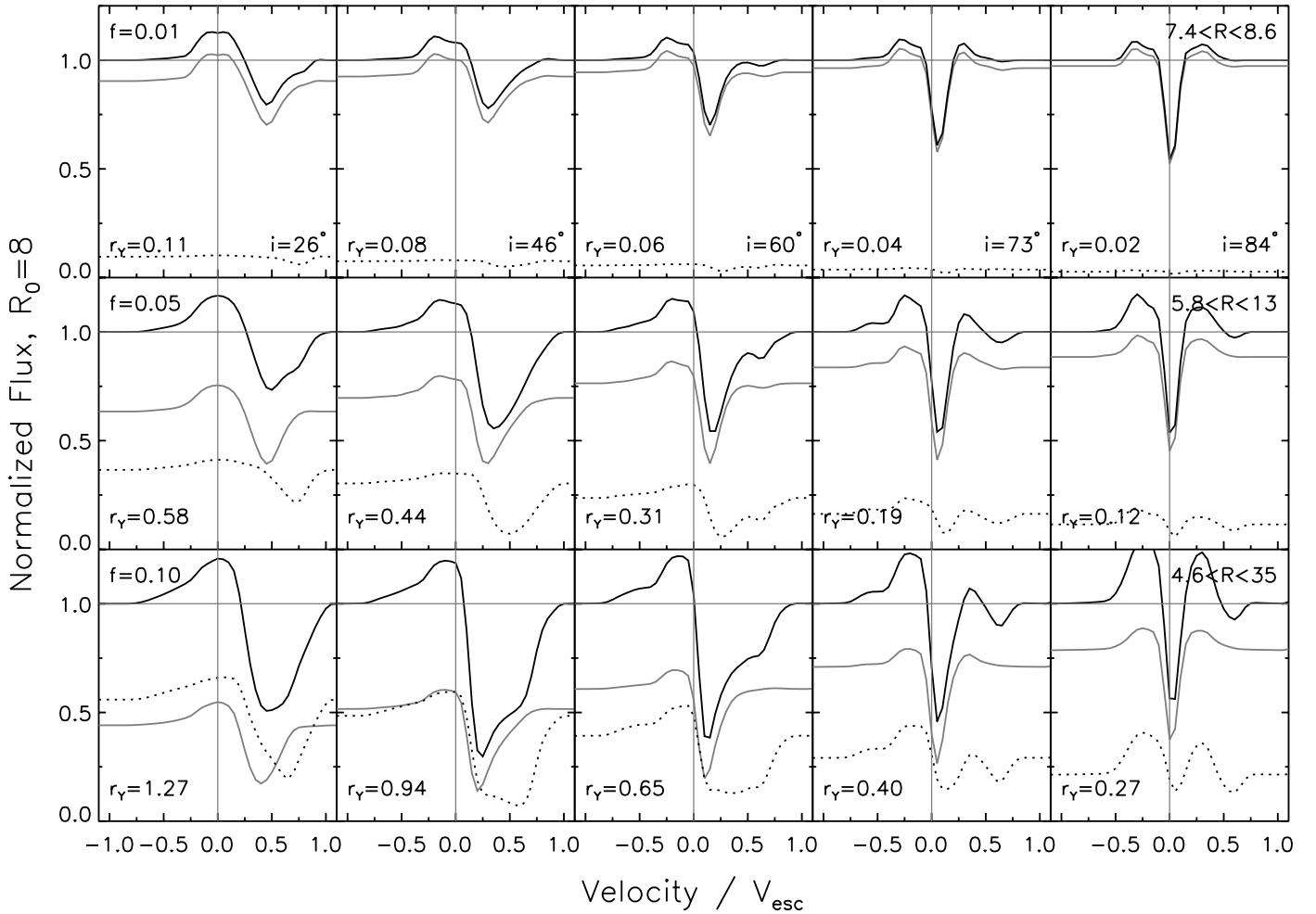


Fig. 14.—Scattering profiles for dipolar infall with  $R_0 = 8R_*$  ( $\theta_0 = 20.7^\circ$ ) and  $F = f$ , as in Fig. 12.

2. The magnitude of the red absorption, measured by either the equivalent width or the maximum depth of absorption, is sensitive to the parameter  $f$ . As  $f$  increases, there is both an increase in the veiling continuum and an increase in the coverage of accreting field lines projected in front of the stellar surface for a given  $R_0$ , enabling the line of sight to each point on the star to intersect more accreting field lines and hence yield a broader range in the projected velocity of the infalling gas.

3. For a given  $f$ , the red absorption is generally stronger at a larger  $R_0$  (smaller  $\theta_0$ ), since the accreting field lines then cover a greater range of solid angles, and the larger span between  $R_i$  and  $R_f$  produces a broader range in gas velocity. However, inclination also plays a role, so that for a given  $f$  and  $R_0$ , the strongest absorption occurs at a line of sight  $i$  that parallels the final part of the trajectory of the accretion flow. From the schematic in Figure 10, it can be seen that for  $\theta_0 = 45^\circ, 30^\circ$ , and  $20.7^\circ$ , the corresponding viewing angle to maximize the red absorption is roughly  $i \approx 84^\circ, 60^\circ$ , and  $46^\circ$ , respectively. Thus, an increased  $\theta_0$  (smaller  $R_0$ ) requires a higher  $i$  for strong red absorption. This occurs because the contribution to the absorption from the scattering of the veiling continuum is broadest when viewed in a direction parallel to the flow just before it impacts the star.

4. The observed emission, i.e., the part of the profile above the continuum, is usually weaker than the absorption and is mostly blueshifted. Only in the extreme but unrealistic case when  $R_0 = 8R_*$  ( $\theta_0 = 20.7^\circ$ ) with high  $f$  (0.05 or 0.1) and excessive  $R_f$

( $13R_*$  and  $35R_*$  for  $f = 0.05$  and 0.1, respectively) does a double-peaked profile result when viewed close to edge-on. The resulting accretion flow has a large solid angle, and since it is assumed to be in corotation with the star, the rotational broadening is considerable. This situation is included to complete our chosen parameter space and is not realistic.

5. The veiling ( $r_\lambda$ ) from the 8000 K accretion zone depends on  $f$ ,  $\theta_0$ , and  $i$ . The dependence on  $f$  is obvious, since  $r_\lambda$  scales almost linearly with  $f$  (eq. [4]). The dependences on  $\theta_0$  and  $i$  arise through their influences on the projected area of each continuum source. The parameter  $\theta_0$  signifies the orientation of the veiling continuum, hence its direct effect on the veiled area viewed. Although less sensitive to the viewing angle, the projected stellar continuum area changes because of the presence of the disk extending from  $R_i$  (dependent on  $\theta_0$  and  $f$ ) to infinity. For both  $\theta_0 = 20.7^\circ$  and  $30^\circ$ ,  $r_\gamma$  at a given  $f$  drops monotonically as  $i$  increases from pole-on to edge-on by factors of 5 and 3, respectively. At  $\theta_0 = 45^\circ$ ,  $r_\gamma$  varies less, dropping by a factor of 1.6 from  $i = 26^\circ$  to  $73^\circ$ , then increasing slightly toward  $i = 84^\circ$ . For example, when  $R_0 = 4R_*$  ( $\theta_0 = 30^\circ$ ) and  $f = 0.1$ ,  $r_\gamma$  ranges from 0.4 to 1.15 and  $r_\gamma$  ranges from 1.5 to 4.5 with viewing angle.

In sum, strong absorption features extending to high velocities, like those observed, require  $f$  (and thus  $r_\lambda$ ) to be large so the contribution from scattering of the veiling continuum is enhanced

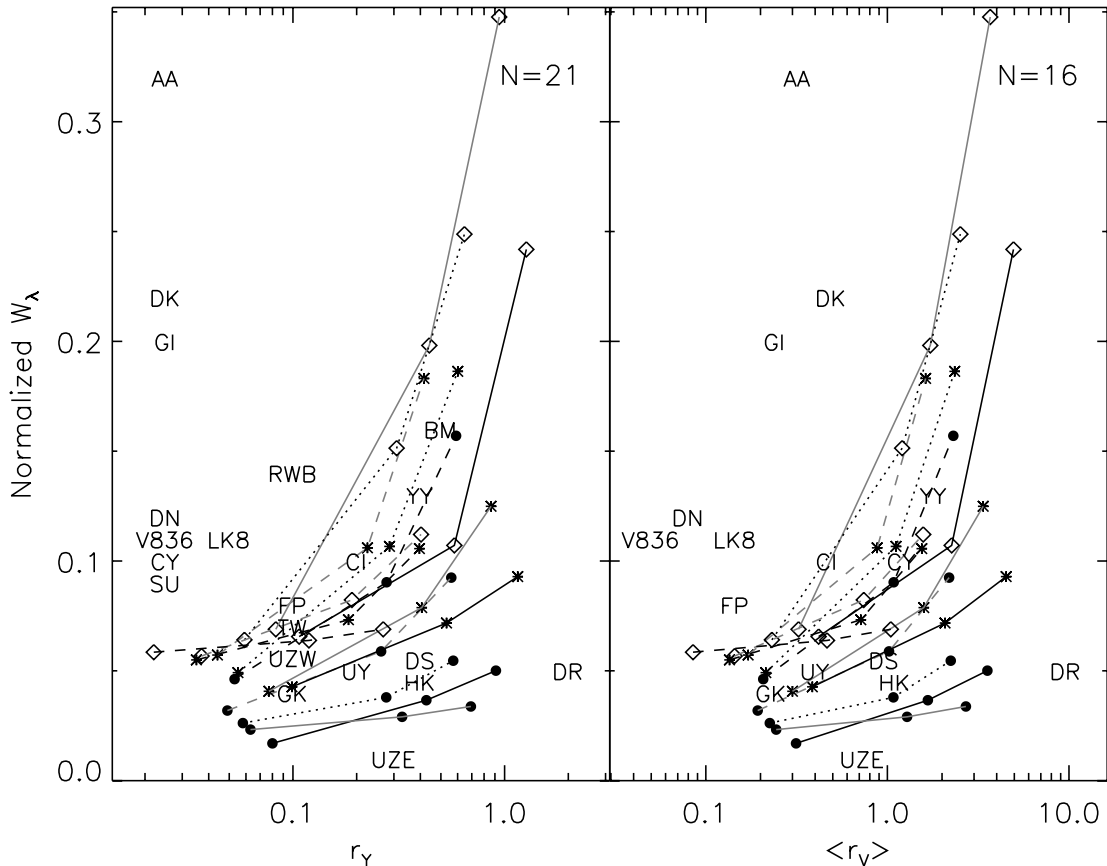


FIG. 15.—Comparison of the red absorption equivalent width (normalized to the escape velocity) to the  $1\ \mu\text{m}$  veiling (*left*) and the nonsimultaneous average optical veiling (*right*; from HEG95) for basic dipolar models and the profiles from the reference sample. The model properties appear as lines connected by symbols. Each symbol type indicates a different  $R_0/\theta_0$ , with circles for  $R_0 = 2R_*$ , asterisks for  $R_0 = 4R_*$ , and diamonds for  $R_0 = 8R_*$ . Each line type indicates a different viewing angle, with solid black for  $26^\circ$ , solid gray for  $46^\circ$ , dotted for  $60^\circ$ , dashed gray for  $73^\circ$ , and dashed black for  $84^\circ$ . Along a line, symbols indicate filling factors  $f = 0.01, 0.05,$  and  $0.10$ , always increasing toward increasing veiling. Since the veiling axes are logarithmic, stars with no detected  $1\ \mu\text{m}$  veiling are placed at  $r_\gamma = 0.025$ .

and the angular extent of the flow on the star is increased. Strong, broad absorption is also more likely when  $R_0$  is large and the line of sight parallels the accretion flow close to the star. The relation between absorption magnitude and  $r_\lambda$  is a crucial test of the dipolar accretion model, as we show in the following subsection when we compare the observations to our model profiles.

#### 4.1.2. Basic Dipolar Flow: Comparison to Observations

In comparing our models with observed profiles, we focus on the red absorption, since the small emission at blueward velocities expected from scattering in the funnel flow will often be overwhelmed by additional sources of emission, such as scattering and in situ emission from a wind. The red absorption is evaluated in context with the observed veiling, which is the basis for evaluating  $f$ . It is immediately apparent that there is a mismatch between the model profiles in Figures 12–14 and the observed spectra in Figure 2, since the majority of CTTs are known to have  $f \lesssim 0.01$  (CG98), while model sequences for  $f = 0.01$  (implied  $r_\gamma \sim 0.06$  and  $r_V \sim 0.25$ ) have shallow and/or narrow red absorption bearing little resemblance to the ensemble of broad and deep observed He I  $\lambda 10830$  profiles.

A more explicit demonstration of the limitation of the models can be made from a quantitative comparison between the equivalent width and veiling for model and observed profiles. This comparison requires normalizing the observed profiles to their respective escape velocities, since in the models all velocities are in units of the escape velocity. The normalized equivalent width,  $W'_\lambda = W_\lambda/V_{\text{esc}}$ , has an intuitive interpretation: it is simply the

fraction of the continuum absorbed between rest and the escape velocity, with a value of 1 indicating total absorption over the entire range. Figure 15 compares the normalized red absorption equivalent width  $W'_\lambda$  to  $r_\gamma$  and  $r_V$  for both models and observations of the reference sample. In the models we have assumed that the excesses at both  $Y$  and  $V$  arise from an accretion shock that emits an 8000 K blackbody continuum. This is known to be a valid assumption for optical veilings, and while the  $r_V$  data points are not simultaneous with the observed absorption profiles, the fact that all but one of the objects with  $r_\gamma = 0$  also have low  $r_V$  indicates that this is a reasonable approach. Unless the  $r_V$  values for these objects were all a factor of 5–10 higher when the He I  $\lambda 10830$  profiles were obtained than when the HEG95 data were obtained, the two panels together clearly indicate that only a fraction of the observed data lie within the realm of the model results: those with weak red absorption and small veiling or those with modest red absorption and intermediate veiling. There is a glaring discrepancy between models and observations for stars with large  $W'_\lambda$  and small  $r_\gamma$ .

The values for  $W'_\lambda$  and the adopted escape velocities  $V_{\text{esc}}^*$  are listed in Table 5 along with two additional properties of the red absorption: the normalized width and the depth. The normalized full width at quarter minimum,  $\text{FWQM}'_\lambda$ , is the width measured at one-quarter of the absorption minimum as a fraction of the escape velocity. The depth of the absorption component at  $0.75V_{\text{esc}}$  normalized to 100%,  $D_{0.75}$ , was chosen since it is sensitive to the infall geometry close to the star. As with  $W'_\lambda$ , a number of stars indicate a discrepancy with the basic dipole model, where

TABLE 5  
MEASUREMENTS OF RED ABSORPTION IN VELOCITY-NORMALIZED  
He I  $\lambda$ 10830 PROFILES

Object (1)	$V_{\text{esc}}^a$ (2)	$W'_\lambda$ (3)	FWQM' (4)	$D_{0.75}$ (5)
AA Tau.....	390	0.32	0.79	10
BM And.....	510	0.16	0.53	0
CI Tau.....	370	0.10	0.78	7
CY Tau.....	310	0.10	0.32	4
DK Tau.....	[380]	0.22	0.84	14
DN Tau.....	300	0.11	0.47	11
DR Tau.....	[360]	0.05	0.44	10
DS Tau.....	570	0.05	0.42	0
FP Tau.....	200	0.08	0.60	3
GI Tau.....	450	0.20	0.53	6
GK Tau.....	350	0.04	0.40	0
HK Tau.....	320	0.05	0.31	0
LkCa 8.....	370	0.11	0.43	5
RW Aur B.....	580	0.14	0.40	0
SU Aur.....	490	0.09	0.37	0
TW Hya.....	520	0.07	0.33	1
UY Aur.....	400	0.05	0.32	1
UZ Tau E.....	340	0.01	0.18	1
UZ Tau W.....	260	0.07	0.54	3
V836 Tau.....	440	0.11	0.39	2
YY Ori.....	[430]	0.13	0.49	11

NOTES.—For the reference sample only. Col. (2): Adopted escape velocity (km s<sup>-1</sup>). Col. (3): Equivalent width of velocity-normalized absorption (dimensionless). Col. (4): FWQM of velocity-normalized absorption (dimensionless). Col. (5): Depth at 75% of the escape velocity as a percentage of the continuum.

<sup>a</sup> Brackets indicate  $V_{\text{red}}/V_{\text{esc}} > 1$ , so we assume  $V_{\text{esc}} = V_{\text{red}}/0.9$ .

objects with small veiling frequently have both FWQM' and  $D_{0.75}$  much larger than can be accounted for with the models. This is illustrated in Figure 16, which shows the comparison of the velocity-normalized equivalent width, velocity-normalized line width, and high-velocity depth to 1  $\mu$ m veiling for observations and models.

This comparison demonstrates that a fraction of CTTSs with subcontinuum red absorption at He I  $\lambda$ 10830 have red absorption that is too strong to be accounted for by magnetospheric accretion in a basic dipole, where the filling factor of the flow on the stellar surface  $F$  is equivalent to the filling factor of shocked gas at the terminus of accreting field lines  $f$ . The observations that present the greatest challenge to the model are those in which the red absorption is strong ( $W'_\lambda \geq 0.1$ ) but the veiling is weak ( $r_V \leq 0.1$ ). This conclusion is robust, since the models have been constructed to produce maximal red absorption for a given  $R_0$  and  $f$ , in that the  $\lambda$ 10830 transition is assumed to be optically thick and the thermal/turbulent broadening has a generous 10 km s<sup>-1</sup> half-width.

This conclusion is not compromised by the choice of 8000 K for the temperature of the shock-heated photosphere. This value corresponds to the low end of the temperature range derived from modeling the SEDs of observed continuum excesses (Hartigan et al. 1991; Gullbring et al. 1998; Johns-Krull et al. 2000). If higher temperatures were assumed, the veiling for a given  $f$  would be even larger, worsening the agreement between the models and the observations. If we adopted the lowest temperature allowed by the SED models of the optical continuum excess,  $T \sim 6000$  K, the associated veiling for a given  $f$  would be reduced by  $\sim 2$  at  $Y$  and  $\sim 3$  at  $V$ . Figure 15 demonstrates that shifting all the model results to the left by a factor of 2 in  $r_V$  or 3 in  $r_V$  is still insufficient to account for the strong absorption

and low veilings. We thus conclude that those profiles with strong absorption and small veilings lie outside the realm of model results for self-consistent dipole flows.

#### 4.2. Dilution

A simple way to keep the veiling small and yet have the accretion flow project a broad velocity range in front of the star is to let the flow rise over a large range of  $R$  (thus impacting the star over a large range of  $\theta$ ) but to fill the whole enclosed volume only *dilutely* with accreting gas. We now distinguish between  $F$ , the fractional surface area on the star over which the magnetospheric footpoints are distributed, and  $f$ , the fractional surface area on the star occupied by accretion shocks at the base of field lines that carry accreting gas. We define  $f' \equiv f/F$  as the fraction of  $F$  occupied by all the accretion shocks. With enough dilution, i.e.,  $f'$  sufficiently small,  $F$  can be large enough to provide the areal coverage over a large velocity range that is necessary for broad and deep red absorption, while  $f = Ff'$  can remain small, as required to produce low veiling. One way to achieve this is to postulate a large number of narrow accretion streamlets spatially separated from one another that together impact only a fraction  $f'$  of the outlined area  $F$ . (We assume that the many accretion shocks are dispersed randomly throughout  $F$ .) Then, with an intrinsic thermal or turbulent line broadening of  $\sim 10$  km s<sup>-1</sup> associated with each streamlet, photons from the star can intersect a sufficient number of streamlets such that the continuum (stellar or veiling) will be absorbed over the full velocity range specified by the parameter  $F$  as though the whole volume were filled.

The concept of many accretion streamlets dilutely filling a volume has the additional advantage of offering a credible explanation for how the lower level of  $\lambda$ 10830 ( $2s^3S$ ) is populated over all streamlines. With the difficulty of maintaining a temperature high enough ( $\geq 2 \times 10^4$  K) for collisional excitation to the  $2s^3S$  level in a freely falling gas, it is likely that photoionization is the excitation mechanism. Then, if the source of ionizing photons is the accretion shock itself, the much smaller shocked area of an individual streamlet within a diluted flow, as compared to the shocked area of a single undiluted flow, will enable more ionizing photons to escape from the sides and ionize the gas in other streamlets, even at positions far from the star. Or, if the dominant source of ionizing radiation is located away from the streamlets (e.g., the stellar corona), these photons will be able to penetrate into the volume and ionize individual streamlets as opposed to ionizing just the skin of a single completely filled accretion flow. Thus, many narrow streamlets dilutely filling a large volume not only yield deep red absorption from the large coverage area over a broad velocity range of infalling gas, but they also readily account for the ionization of gas at each location in the flow to produce an optically thick  $\lambda$ 10830 transition over the whole velocity range.

##### 4.2.1. Profiles for Wide, Dilutely Filled Flows

We compute scattering profiles for diluted dipole flows for the same three geometries shown earlier, with ( $R_0, \theta_0$ ) pairs of ( $2R_*, 45^\circ$ ), ( $4R_*, 30^\circ$ ), and ( $8R_*, 20.7^\circ$ ). We introduce a wider range in  $F$ , from 0.01 to 0.2, although now all the models have  $f = 0.01$ , corresponding to a range in  $f'$  from 1 to 0.05. The resulting profiles are shown in Figure 17, and the model parameters are listed in the bottom portion of Table 4. In the figure, the three columns correspond to the three  $R_0$  values, and each row is a common value of  $f'$ . The degree of dilution increases downward in the figure, with the case for no dilution shown in the top row ( $f' = 1$  and  $f = F$ ) repeated from Figures 12–14. In subsequent rows the dilution grows as  $F$  increases to 0.05, 0.1, and finally 0.2. Each panel shows the superposed profiles

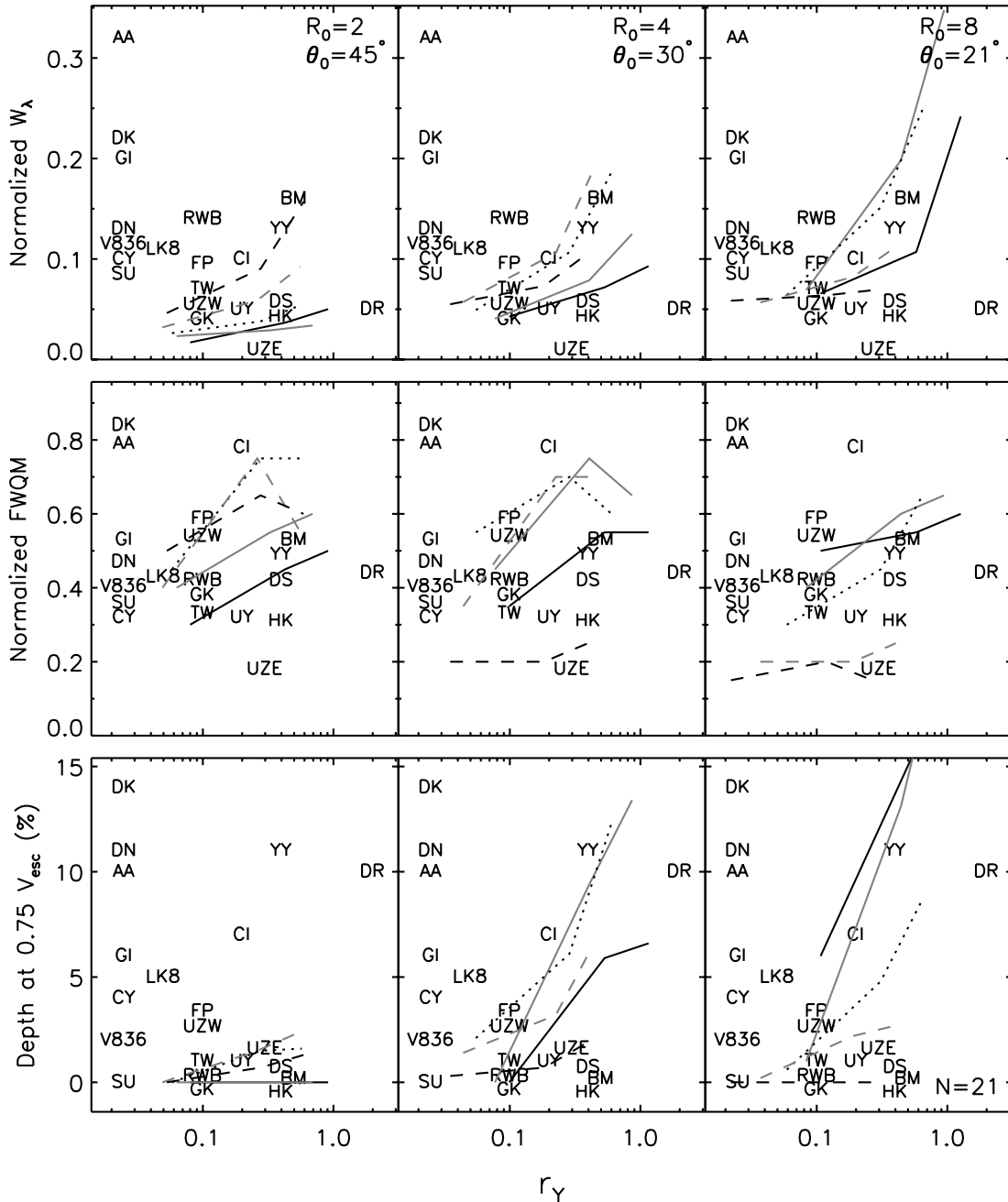


FIG. 16.—Comparison of three properties of the red absorption to the  $1 \mu\text{m}$  veiling for basic dipolar models and the 21 profiles from the reference sample. In each column, the observed parameters are the same, but model parameters appear only for the indicated  $R_0/\theta_0$  combination. The model parameters for the three filling factors  $f = 0.01, 0.05,$  and  $0.10$  at a particular viewing angle are connected by lines, and the correspondence between line type and viewing angle is the same as in Fig. 15. As before, stars with no detected  $1 \mu\text{m}$  veiling are placed at  $r_\gamma = 0.025$ .

for all five viewing angles for each  $R_0, f'$  (or  $F$ ) combination and the corresponding inner and outer radii of the accreting volume,  $R_i < R < R_f$ . Since the effect of the viewing angle on the profile morphology is roughly independent of dilution, the individual viewing angles can be identified by referring to the earlier figures. We highlight the  $i = 60^\circ$  profiles with darker lines, since this is the most probable viewing angle.

Although all the profiles in Figure 17 are for  $f = 0.01$ , the associated veilings differ slightly because the accretion-heated area is distributed differently for different values of  $F$  and  $\theta_0$ , leading to slightly different projected areas. Nonetheless, in all cases,  $r_\gamma < 0.11$ . For these small veilings, the absorption, while quite strong when there is significant dilution, is almost entirely due

to scattering of the stellar continuum, in contrast to the undiluted models where large veilings and scattering of the veiling continuum were necessary to produce strong absorption. As dilution increases for a given  $R_0$ , the red absorption becomes increasingly strong and broad, due to the increased areal coverage over a broader range of velocities as the interval between  $R_i$  and  $R_f$  increases. For example, the maximum penetration depth of the red absorption into the continuum,  $D_{\text{max}}$ , increases from 10% to 30% for  $R_0 = 2R_*$  between an undiluted and an  $f' = 0.05$  flow. As before, larger  $R_0$  also increases the areal coverage and thus the depth and breadth of the absorption. For  $R_0 = 4R_*$  and  $F = 0.2$ ,  $D_{\text{max}}$  reaches 50% of the stellar continuum for all viewing angles. In the unrealistic case of  $R_0 = 8R_*$  and  $F = 0.1$ , where

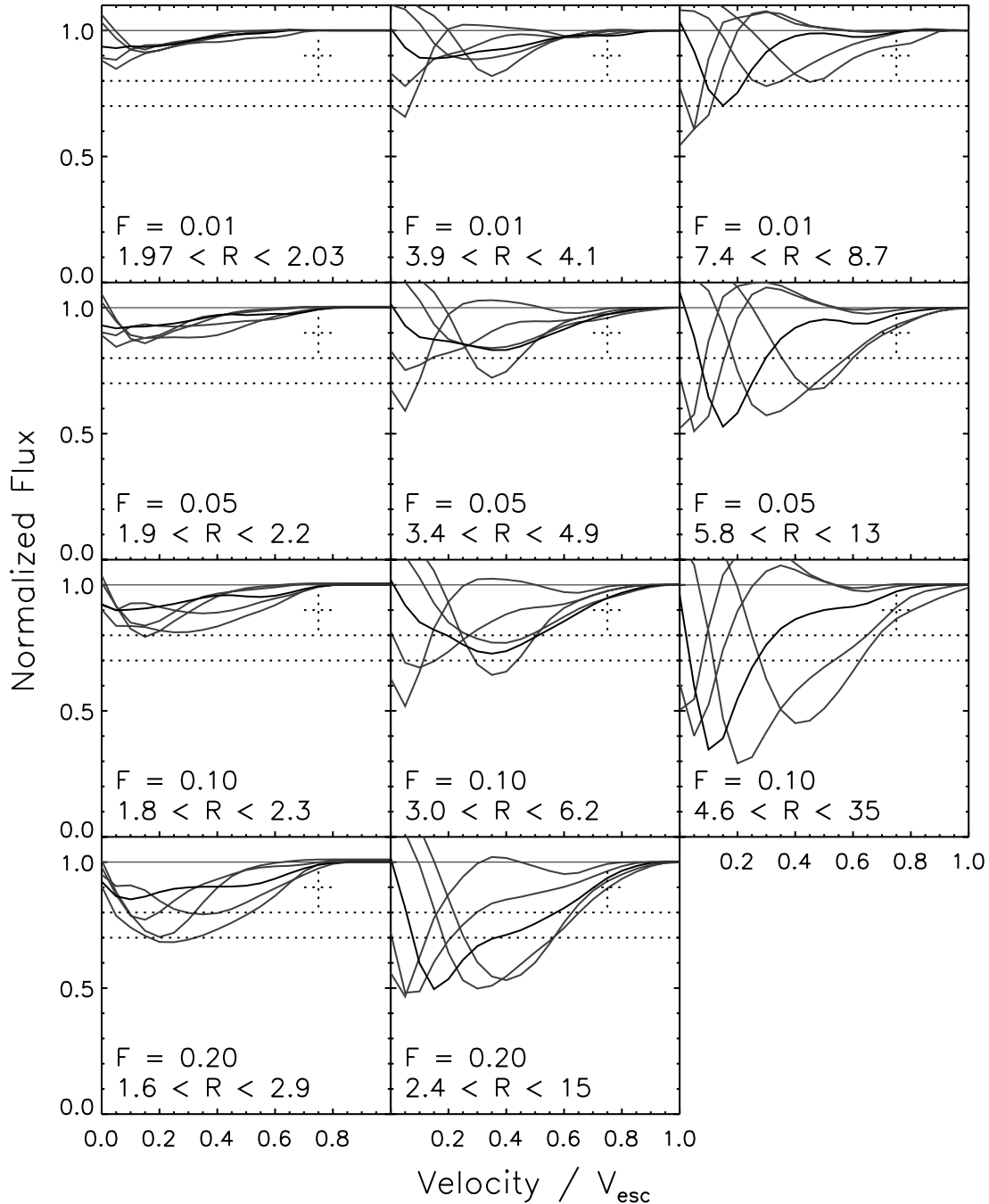


FIG. 17.—Red side of scattering profiles for a series of “diluted” dipoles, all with  $f = 0.01$  ( $r_Y \leq 0.11$ ) but with  $F$  ranging from 0.01 (top row) to 0.2 (bottom row). From left to right, columns correspond to  $R_0 = 2R_*$ ,  $4R_*$ , and  $8R_*$ , and the range of  $R$  for each  $F$  is specified. The profile sequences for each panel correspond to viewing angles of  $26^\circ$ ,  $46^\circ$ ,  $60^\circ$  (black line),  $73^\circ$ , and  $84^\circ$ . The top row, with  $F = f = 0.01$ , corresponds to the models shown in the top rows of Figs. 12–14. For comparison with observations, dotted horizontal lines mark depths of 20% and 30%, and dotted crosses mark a depth at  $V/V_{\text{esc}} = 0.75$  ( $D_{0.75}$ ) of 10%.

$R_f$  extends to  $35R_*$ ,  $D_{\text{max}}$  can be 70% of the stellar continuum. However, for flows confined to maximum sizes on the order of corotation, the deepest penetrations are about 50% of the stellar continuum.

#### 4.2.2. Further Comparison to Observations

By introducing the concept of a diluted dipole, where field lines carrying accreting gas only dilutely fill the volume occupied by a wide magnetosphere, we can simultaneously generate deep and broad red absorption features while maintaining small filling factors for hot accretion shocks with  $f \sim 0.01$ . This is the empirical regime in Figure 15, where dipolar models with  $f = F$  are unable

to account for stars with both strong absorption (large  $W_\lambda'$ ) and very low veiling ( $r_Y \sim 0$ ). We compare observed and model profiles for a few individual stars in Figure 18, in four cases for undiluted, fairly narrow dipoles for stars with  $r_Y$  ranging from 0 to 0.4 and in two cases for wide, diluted dipoles with  $r_Y \sim 0$ , where we have rescaled the model profiles to the escape velocity of each star. Since we have not computed a large grid of models, the magnetospheric properties listed for each fit are not intended to be predictions for a particular star. However, this fitting procedure shows that weaker red absorption can be reasonably described by basic undiluted models with a small range of origin radii in the disk, where veilings  $r_Y$  from 0 to 0.4 can be

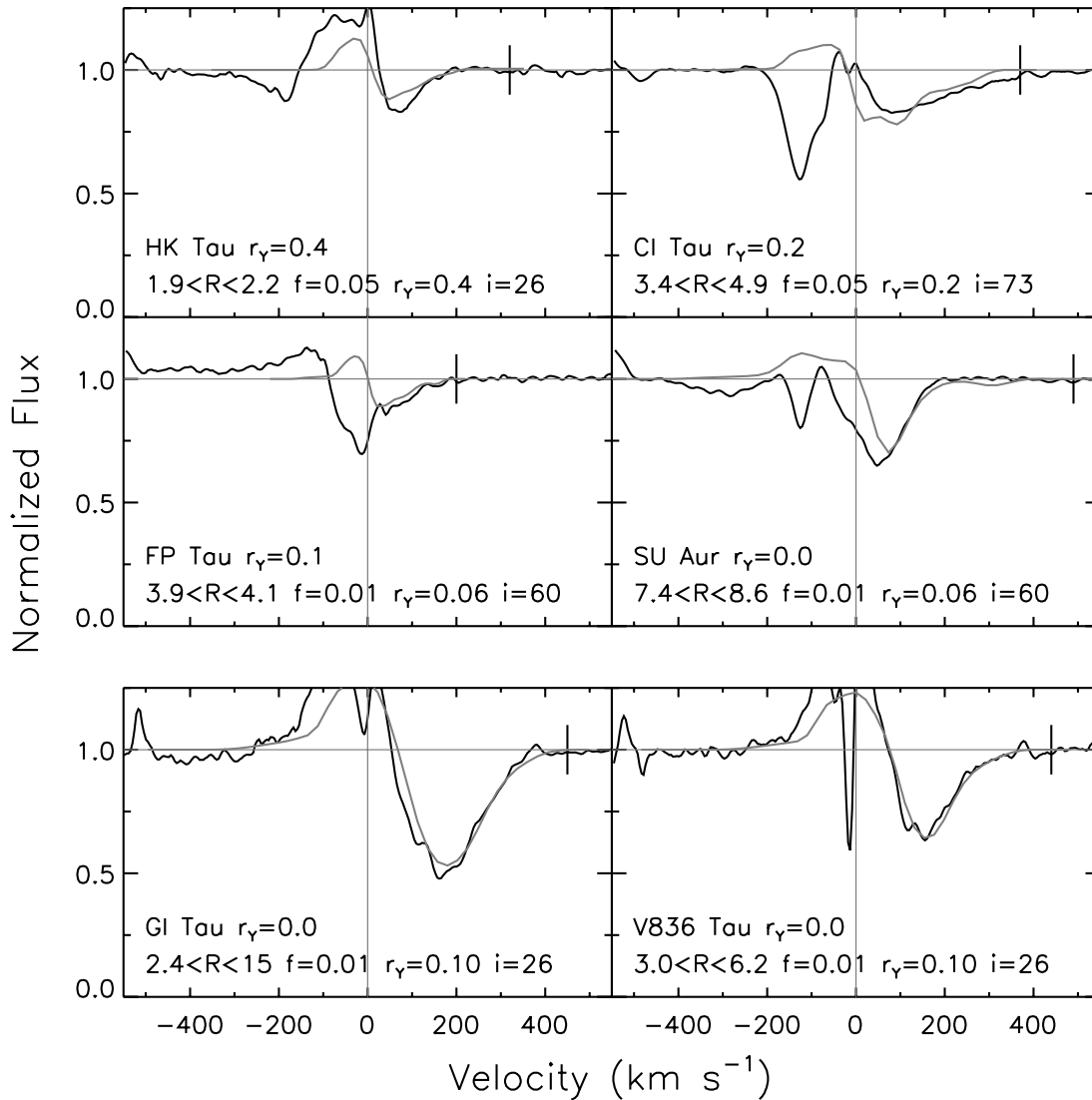


FIG. 18.—Examples of least-squares fits of dipolar model profiles (*gray lines*) to selected observations (*black lines*), with the stellar escape velocities marked by short vertical lines. The top four panels use dipoles with  $F = f$ , and the corresponding  $f$ ,  $r_\gamma$ , and  $i$  are shown. The bottom two panels have strong red absorption and no detected veiling; they are well fit by extended dilute dipolar models ( $R_0 = 4R_*$ ,  $F = 0.2$  for GI Tau;  $R_0 = 4R_*$ ,  $F = 0.1$  for V836 Tau). Since processes other than scattering by the accretion flow can be important at low velocities, points with  $V/V_{\text{esc}} \leq 0.1$  are ignored in the fitting procedure.

consistently modeled with an appropriate choice of  $f$  and the red absorption can include scattering contributions from both stellar and accretion shock continua. Similarly, strong red absorption in stars with low veilings can be well fit by dilutely filled flows with small  $f$  but a wide span of origination radii in the disk, resulting in a large projected area of accreting gas for the scattering of the stellar continuum.

The overall applicability of the diluted dipolar model can be appreciated by comparing the model profiles from Figure 17 to the ensemble of observed helium profiles for those stars with  $r_\gamma \leq 0.1$  and thus  $f \sim 0.01$ , where the effect of scattering from a hot accretion shock will be inconsequential and the properties of the red absorption will be shaped almost entirely by scattering of the stellar continuum. To effect this comparison in a general way, rather than focusing on individual stars, in Figure 19 we plot superposed observed profiles for the redward side of He I  $\lambda 10830$ , each normalized to their respective escape velocity and separated into three groups on the basis of their depths both at  $0.75V_{\text{esc}}$  ( $D_{0.75}$ ) and at maximum absorption ( $D_{\text{max}}$ ). To aid in the com-

parison, both Figure 17 and Figure 19 denote depths for  $D_{0.75} = 10\%$  and  $D_{\text{max}} = 20\%$  and  $30\%$ .

Figure 19 (*left*) contains the three shallowest profiles, with  $D_{\text{max}} \leq 20\%$  and  $D_{0.75} < 10\%$ . Compared to the predicted profiles in Figure 17, the model flows that most resemble such broad but shallow profiles have  $R_0 \sim 2R_*$  and  $F \lesssim 0.1$ , although some viewing angles for larger flows with relatively small areal coverage of magnetic footpoints,  $F \lesssim 0.05$ , could also apply. Our coverage of parameter space is not exhaustive, but it is clear that for the broad but shallow red absorption the range of radii over which the accretion flow leaves the disk is narrow, corresponding to a fairly small area on the star for the magnetospheric footpoints, but still larger than 1%. The middle and right panels contain the 10 deeper profiles among the stars with low veiling, where  $D_{\text{max}}$  ranges from 30% to 60%. Model flows that produce deeper profiles generally have significant areal coverage of magnetic footpoints  $F$ , as seen in Figure 17, where the accretion flow leaves the disk over a wide range of radii, impacting the star over a wide range of angles, in some cases with magnetic footpoint coverage

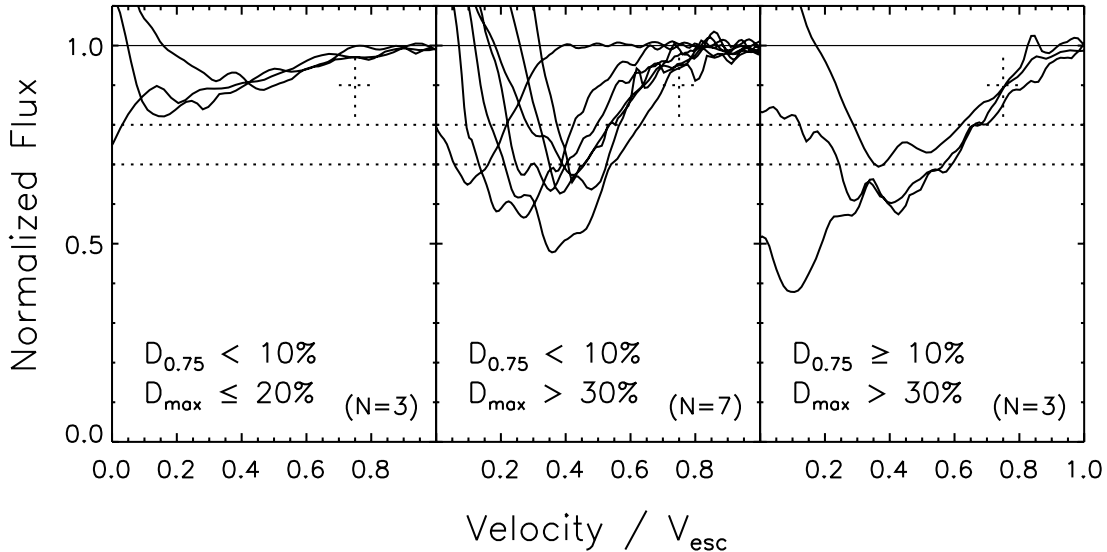


FIG. 19.—Superposed He I  $\lambda 10830$  lines from the reference sample for the 13 stars with  $r_\gamma \leq 0.1$ , appropriate for modeling with dilute dipole flows with  $f = 0.01$ . Only the red half of the profile is shown, normalized to the individual escape velocity of each star. Profiles are grouped by  $D_{0.75}$ , the penetration depth into the continuum at  $V/V_{\text{esc}} = 0.75$ , and by  $D_{\text{max}}$ , the maximum penetration into the continuum. For comparison with models, the dotted cross in each panel marks  $D_{0.75} = 10\%$ , and the dotted horizontal lines mark depths of 20% and 30%.

up to 20% of the stellar surface area. This is considerably larger than what has been modeled in previous work on magnetospheric infall.

Even with wide diluted flows, the profiles of the three stars in Figure 19 (*right*; AA Tau, DK Tau, and DN Tau) are a challenge to explain under the constraints of a dipolar geometry. These profiles not only have  $D_{\text{max}} > 30\%$  but also have  $D_{0.75} \geq 10\%$ , with the caveat that errors in escape velocity may be up to 20%. From the models explored in Figure 17, flows with very wide extents, leaving the disk over a range of radii from a few  $R_*$  to beyond corotation and viewed fairly close to pole-on, are required to produce profiles with  $D_{0.75} \geq 10\%$ . Rather than postulate an enormous dipolar flow with a polar viewing angle (which is clearly not the case for, at least, the edge-on source AA Tau), in the next section we explore an example of a nondipolar geometry to find a more plausible explanation for these three observations.

Only eight CTTSs in the reference sample have  $r_\gamma > 0.1$ , such that the properties of the He I  $\lambda 10830$  red absorption may be affected by scattering of continuum photons from the hot accretion shock. One of these is DR Tau, where the high  $r_\gamma = 2$  implies  $f \approx 0.24$  (eq. [4]), which, as shown in § 4.1, would yield red absorption at least an order of magnitude stronger than the observed  $W'_\lambda = 0.05$ . As is addressed in § 5, we suspect that in this case the red absorption has been filled in by a wind exterior to the accretion flow.

#### 4.3. Diluted Radial Flows

We have identified the three stars in Figure 19 (*right*), AA Tau, DK Tau, and DN Tau, as difficult to explain with scattering in a dipolar geometry due to their absorption depths at velocities in excess of  $0.5V_{\text{esc}}$ . In a dipolar flow, the impact velocity at the stellar surface depends on the polar angle  $\theta$ , which is determined by the initial distance of infall  $R$  (eq. [3]), such that the impact velocity is greatest when  $\theta$  is near the pole (i.e.,  $R$  is large) and diminishes as  $\theta$  approaches the equator (i.e.,  $R$  becomes small). Thus, if  $\theta$  is small enough, high impact velocities will result, although flows with small  $\theta$  become highly curved and pinched as they reach the star (Fig. 10), resulting in small

areal coverage and thus a shallow absorption profile at the highest velocities.

We investigate radial infall trajectories as an alternative geometry that could produce deep absorption at high velocities. In all aspects except the geometry, radial models have the same assumptions as our dipolar models except that we have not included rotation. The axisymmetric flow begins at some distance from the star  $R_{\text{max}}$ , and it falls radially toward the star, impacting the stellar surface between polar angles  $\theta_1$  and  $\theta_2$  in one hemisphere and between  $\pi - \theta_1$  and  $\pi - \theta_2$  in the other. The fractional surface of the star spanned by the accretion flow,  $F$ , is  $\cos \theta_1 - \cos \theta_2$ , and the shocks within this region together occupy a fraction  $f'$  of the area  $F$ , so that  $f = Ff'$ . The disk truncation radius is a free parameter, but we set it equal to  $R_{\text{max}}$ , which is  $8R_*$  in all radial models. Figure 20 shows scattering profiles from two radial geometries at five viewing angles. In the top row, the impact region extends from  $\theta_1 = 66.4^\circ$  to  $\theta_2 = 78.5^\circ$ , while in the bottom row, the impact region extends from  $\theta_1 = 78.5^\circ$  to the equator. In both cases,  $F = 0.2$  and  $f = 0.01$ . As expected, the absorption is strongest for a viewing angle within the confines of the flow (i.e.,  $\theta_1 < i < \theta_2$ ), and the profile becomes a nearly symmetric emission profile (assuming axisymmetry and no rotation) for views close to pole-on. When the viewing angle is aligned or nearly aligned with the column of absorbing gas, each radial model can produce the observed range of absorption depths at high velocities, with  $D_{0.75} > 10\%$  for profiles with  $i > 60^\circ$  in the top row and  $i > 73^\circ$  in the bottom row.

We are not advocating radial infall starting from a large distance; thus, the profile sequences in Figure 20 are not expected to be realistic for the whole velocity range. However, the requisite deep absorption at high velocities, resulting from material moving faster than  $\sim \frac{2}{3}V_{\text{esc}}$ , all arises inside about  $2R_*$ . Thus, the message from these calculations is that the accretion stream only needs to move in a radial trajectory, i.e., become less curved than a dipole, as it nears the star.

The effectiveness of radial infall trajectories for material near the star in accounting for the high-velocity absorption in AA Tau, DK Tau, and DN Tau is shown in Figure 21. The figure shows



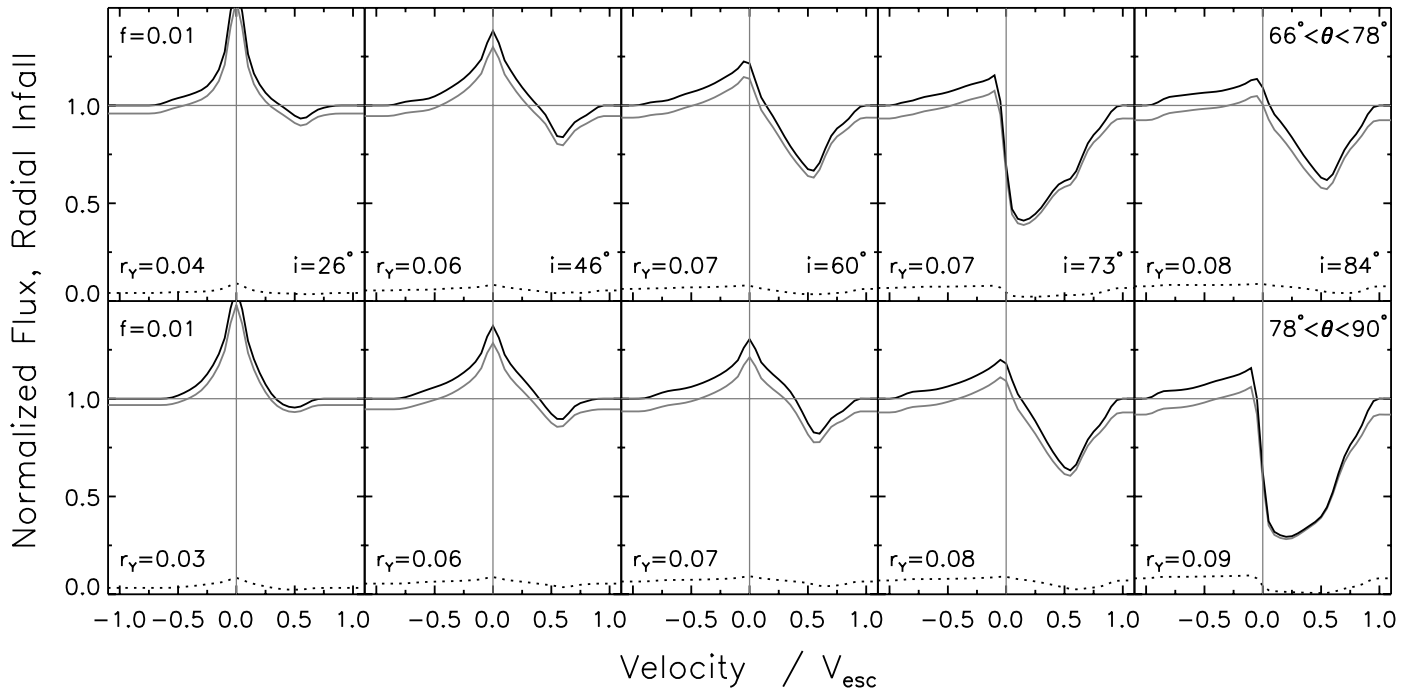


FIG. 20.—Scattering profiles for diluted radial infall in nonrotating, azimuthally symmetric flows that begin at  $8R_*$  and impact the star over a range of polar angles  $\theta$  that encompasses  $F = 20\%$  of the stellar surface area. Accreting field lines and their accretion shocks fill only 5% of  $F$  (i.e.,  $f = 1\%$ ), with  $1 \mu\text{m}$  veiling  $r_\gamma$  as listed. In the top row, the flow impacts the star over the range  $66^\circ < \theta < 78^\circ$ , while in the bottom row, the flow impacts the star over the range  $78^\circ < \theta < 90^\circ$ . The same five viewing angles are used as in previous figures.

model and observed profiles where (1) profiles are inverted so the vertical axis is a measure of the minimum stellar coverage fraction at each velocity and (2) only velocities in excess of  $0.5V_{\text{esc}}$  are plotted. The regime of diluted dipolar models with the largest  $D_{0.75}$  is shown with dark and hatched shading, while the regime of flows with radial trajectories for gas near the star is shown with light shading. The dark-shaded region indicates the best case from our diluted dipolar models for a flow contained

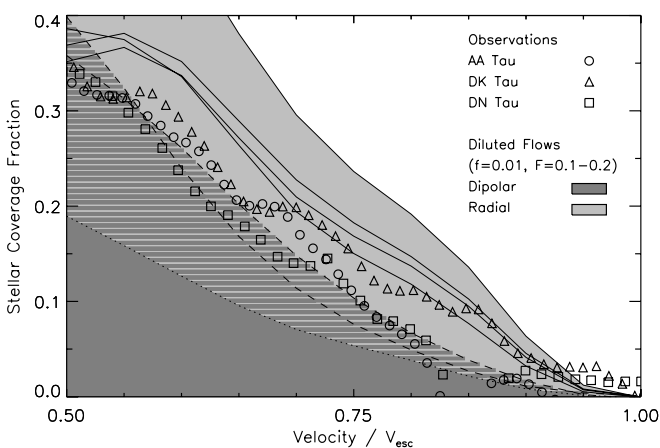


FIG. 21.—High-velocity tails of observed and model profiles for three stars with the largest values of  $D_{0.75}$  and  $r_\gamma = 0$ , inverted to show the minimum fraction of the star occulted by infalling material at each velocity. Dark shading indicates the regime of diluted dipolar models with  $f = 0.01$  and infall contained entirely within a typical corotation radius, marked by the profile (dotted line) with  $F = 0.1$ ,  $3.0 < R/R_* < 6.2$ , and  $i = 46^\circ$ . The hatched region indicates the extension when dipolar field lines out to approximately twice the corotation radius participate in infall, marked by the profiles (dashed lines) with  $F = 0.2$ ,  $2.4 < R/R_* < 15$ , and  $i = 26^\circ$  or  $46^\circ$ . Light shading shows the regime for profiles formed in diluted radial infall with  $F = 0.2$  and  $f = 0.01$ . For both radial geometries in Fig. 20, two profiles (solid lines) with  $i$  close to the infall angle are shown.

entirely within the corotation radius,  $F = 0.1$  originating between  $3.0R_*$  and  $6.2R_*$  in the disk and viewed from  $i = 46^\circ$ . Although  $8R_*$  is a more typical corotation radius, extending the flow out to this distance would not produce much additional absorption. The hatched region indicates a diluted dipole that allows field lines extending out to nearly twice the corotation radius to participate in the flow, where the dashed lines indicate the case  $R_0 = 4R_*$ ,  $F = 0.20$  ( $2.4 < R/R_* < 15$ ), seen from two viewing angles,  $i = 26^\circ$  and  $46^\circ$ . Although the latter two extreme dipolar models come close to producing sufficient absorption at high velocities, significant accretion beyond corotation is likely not physical. In contrast to the dipole trajectories, the regime of the four radial models from Figure 20 with viewing angles nearly aligned with the infalling gas easily contains the observed stellar coverage fraction from  $0.6V_{\text{esc}}$  to  $0.85V_{\text{esc}}$ , with no requirement that the flow originate at radii beyond corotation. The realistic situation is likely to involve some complex magnetic field topologies with trajectories approaching radial as they near the star.

## 5. DISCUSSION

### 5.1. Implications of Diluted Funnel Flows

The high opacity and resonance scattering properties of He I  $\lambda 10830$  enable the geometry of magnetospheric accretion to be probed via absorption of gas seen in projection against the star, in contrast to previous studies that rely on the morphology of emission lines. Under the assumptions that the flow is an azimuthally symmetric dipole and helium is sufficiently optically thick that all incident  $1 \mu\text{m}$  radiation is scattered, we have illustrated the sensitivity of the red absorption to both the angular extent of the magnetosphere and the filling factor of hot gas from the accretion shock  $f$ . If  $f$  exceeds a few percent, the hot spot will be an important contributor to the scattering of the  $1 \mu\text{m}$  continuum; however, since the strongest and broadest He I  $\lambda 10830$  absorption is seen in stars with little or no  $1 \mu\text{m}$

veiling, this red absorption must instead arise almost solely by scattering of photospheric radiation. Achieving the observed breadth and depth of the absorption requires a large angular coverage of the stellar continuum in the azimuthal direction over a wide range of velocities for many stars, with areal coverage in footpoints on the star of  $F = 10\%–20\%$ . We suggest that the required combination of wide flows and low filling factors of hot gas is a result of accretion in many narrow streamlets, each of which may have a dipolar configuration but which together only fill a small fraction of the enclosed volume. We have explored the case where the streamlets are uniformly distributed through the accreting volume, producing wide, dilutely filled flows that reconcile the need for absorption over a broad range of velocities with filling factors of hot gas  $f < 1\%$ , as observed (CG98).

Earlier studies also imply a discrepancy between the areal coverage  $F$  of magnetospheric footpoints and the filling factor of hot accretion shocks  $f$ . For example, magnetospheres with  $f = F = 8\%$  were invoked to model hydrogen lines arising from accretion flows in order to produce sufficient line fluxes and mass accretion rates (Symington et al. 2005; Kurosawa et al. 2006). The seminal sequence of papers modeling hydrogen line formation in funnel flows from Hartmann et al. (1994) to Muzerolle et al. (2001) also required filling factors that were larger than predicted by SED modeling of continuum excesses to account for observed emission-line luminosities. The notion of accretion via streamlets that dilutely fill a large volume is a straightforward way to reconcile this discrepancy, simultaneously allowing large field sizes and small shock filling factors.

Although our model invokes diluted accretion flows in widely distributed streamlets of gas, an alternate scenario for diluted accretion is the one suggested by the MHD simulations of Romanova et al. (2004), where internal structure within the accretion flow gives a mass accretion rate (and a corresponding blackbody continuum temperature) that is highest at the interior and falls off toward the sides. Although this scenario can also, for a large  $F$ , produce a smaller veiling from the area-weighted blackbody continua than the undiluted  $f = F$  case, the advantage to widely dispersed streamlets is that they provide a facile means for ionizing radiation to penetrate most of the infalling gas, since distributed accretion shocks with small individual areas would allow ionizing photons produced in each shock to escape more easily from the sides and ionize helium at other locations. Another consequence of such distributed accretion shocks is that photons from the shocks emitted toward the star would be incident on a larger area of the photosphere than for a single shock with the same  $f$ . This may invalidate the usual assumption of a plane-parallel geometry for the radiative transfer of photons with the effect that, independent of the internal structure within an individual streamlet, the resulting veiling continuum would encompass a range in blackbody temperatures. In a wide flow where dilution is somewhat uniform, there will be many separate shocks with a range of blackbody temperatures surrounding them. There may be some observational support for this phenomenon in that the veiling continuum longward of  $0.5 \mu\text{m}$  (Basri & Batalha 1990; White & Hillenbrand 2004; EFHK06) is broader than the single 8000 K blackbody that is a good match to the excess at shorter wavelengths (CG98).

Constraints on the angular extent of accreting gas and the location in the disk where infall originates are relevant to models for disk locking and wind launching. Although there are some cases where He I  $\lambda$ 10830 profiles resemble those expected from viewing an accretion funnel restricted to a narrow origination around the corotation radius, the suite of profiles expected from

viewing this magnetic topology from all inclination angles is not consistent with the observations. The most extreme deep and broad absorption instead requires infall spanning a wide extent of origination radii, from a few  $R_*$  out to at least typical corotation radii of  $6R_*–8R_*$  if the flows are dipolar. For other magnetic field configurations, such as a tilted dipole or a multipole field, significant red absorption need not require such a wide range in initial infall distances. In general, the depth of the red absorption is governed more by the range of impact latitudes than by the range of initial radii; only for a dipolar flow aligned with the rotational axis are the two ranges so closely linked. For example, in an aligned dipolar flow with  $R_0 = 4R_*$  and  $F = 0.1$ , the range in impact latitude of  $23.6^\circ–35.3^\circ$  corresponds to a range in initial radius of  $3.0R_*–6.2R_*$ . In a more complex magnetic configuration, a comparably wide range of impact angles could produce strong red absorption without the need for such a large range of initial radii.

The necessity of a dilutely filled flow does imply that there is not a sharp delineation on the disk for accretion onto the star. It likely indicates a very inhomogeneous field structure at large distances, with many local pockets distributed over a broad radial range on the disk giving rise to accretion streamlets. Since our analysis assumes axial symmetry in a set of nested dipolar flows, the constraints that the breadth and depth of the red absorption place on the angular extent of the accreting gas are even more extreme if, as is likely, accretion channels are in restricted azimuth zones. Furthermore, there is some red absorption that is so deep at velocities  $\geq 0.5V_{\text{esc}}$  that a dipole morphology is inadequate, even when arising from  $2R_*$  to the corotation radius. In these cases we find that radially directed infall can achieve the requisite depth of absorption, although other topologies that result in a large covering factor of the star at the highest velocities can likely be constructed.

Recent Doppler tomographic maps of the CTTSs V2129 Oph and BP Tau, based on circular polarization of Ca II (Donati et al. 2007, 2008), reveal the locations of accretion hot spots on the stars. The spots span quite a broad latitude range (extending roughly from the pole to  $45^\circ$ ) but a very narrow azimuthal range. The narrow azimuthal range implies that the detection of He I  $\lambda$ 10830 red absorption requires an opportune time at which the accretion spots are directly in view. This situation is consistent with the result that BP Tau, a mildly accreting CTTS included in our He I  $\lambda$ 10830 survey, did not show any He I  $\lambda$ 10830 red absorption on the two occasions we observed it. At present, there are not enough tomographic data to see how consistent this pattern is among a range of accreting stars, although our detection of sub-continuum red absorption in 21 of 38 CTTSs, including 20 of 29 stars (and 37 of 56 total spectra) with  $r_Y \leq 0.5$  ( $r_V \leq 2$ ), would imply large azimuthal coverage by the accretion spots. However, we note that even in the two stars with tomographic maps, there is a possibility that accretion impacts the stars over a wide range of longitudes. Donati et al. attribute only two-thirds of the He I  $\lambda$ 5876 emission but all of the He I  $\lambda$ 5876 circular polarization to accretion spots, based on the fraction of the emission that shows rotational modulation compared to that which is time-independent. The time-independent component, responsible for one-third of the He I  $\lambda$ 5876 emission, is attributed to a chromospheric component distributed uniformly over the stellar surface. However, since nonaccreting WTTSs show either very weak or, more commonly, no He I  $\lambda$ 5876 emission (Beristain et al. 2001), it would appear that TTS chromospheres are not significant contributors to this line. Instead, the time-independent component may be from more widely distributed accretion shocks that cover a broader range of longitudes.

### 5.2. Absence of He I $\lambda$ 10830 Red Absorption

In this paper we have focused on the 21 of 38 CTTs that show redshifted absorption in He I  $\lambda$ 10830 at least once in an observational program with sporadic time coverage. Clearly, the absence of He I  $\lambda$ 10830 red absorption is also important in constraining the topology of magnetospheric accretion. An important point is that He I  $\lambda$ 10830 red absorption is rarely seen among CTTs with the highest  $1 \mu\text{m}$  veiling (1 of 25 observations; see § 3.1). Of the nine stars in the EFHK06 survey in this category, the only one that showed redshifted absorption, on one of four occasions, is DR Tau. We suspect that in all nine of these stars, emission from a wind exterior to the accretion flow, instead of from the flow itself, is filling in any redshifted absorption that may be present. If in situ emission from the funnel flow were significant, it would be difficult for it to fill up the absorption at the red edge of the profile, since the geometry of the funnel flow results in smaller volumes at higher velocities, producing centrally peaked emission profiles that fall off rapidly toward both blue and red high velocities (see the contribution to the emission from scattering of the stellar continuum in Fig. 11). The near absence of red absorption among these stars instead calls for a situation in which the redshifted absorption, if present, is filled in completely. In the case of DR Tau, it is clear that weak red absorption, confined to high velocities, is visible when the emission from the P Cygni wind profile is weakest (see Fig. 7). Among the other stars in this high-veiling group, all have either broad blue helium absorption indicative of viewing through a stellar wind or strong helium emission interpreted to arise in a conical stellar wind viewed obliquely (see KEF07 and EFHK06). Either of these contributions to redward emission would be sufficient to fill up even a strong red absorption, provided the wind is optically thick and exterior to the accretion flow.

When profiles from both He I  $\lambda$ 10830 and He I  $\lambda$ 5876 are considered, the evidence suggests that He I  $\lambda$ 10830 red absorption is rare or absent in CTTs with large  $1 \mu\text{m}$  veiling, not primarily because the absorption is being filled in by wind emission but more because the geometry of the funnel flows is altered compared to that of low-veiling CTTs. This inference is drawn from a study of He I  $\lambda$ 5876 profiles and optical veiling presented in Beristain et al. (2001), which includes many stars in common with EFHK06. They found that CTTs whose He I  $\lambda$ 5876 profiles showed only a narrow component, consistent with formation in postshock gas from an accretion shock, show an excellent correlation between the strength of narrow-component helium emission and optical veiling. In contrast, CTTs whose He I  $\lambda$ 5876 profiles show a contribution from a broad component have reduced or absent emission from a narrow component relative to stars of similar optical veiling. While it might appear otherwise, this is not an esoteric point. It suggests that CTTs with strong stellar winds and high optical and  $1 \mu\text{m}$  veilings may have crunched or otherwise altered magnetospheres resulting in weak narrow-component emission from a hot accretion shock, and there is a significant contribution to the veiling continuum from another source. In contrast, CTTs without strong stellar winds (many of which show disk wind profiles at He I  $\lambda$ 10830; see KEF07) have extensive magnetospheres carrying accreting gas to the star, and hot accretion shocks are the dominant contributor to their optical veiling. We anticipate being able to test this suggestion shortly, following the analysis of simultaneously obtained spectra extending from 0.4 to  $2.2 \mu\text{m}$ .

A second point regarding the frequency of He I  $\lambda$ 10830 red absorption is that, in contrast to CTTs with high  $1 \mu\text{m}$  veiling, red absorption is commonly seen in stars with lower veiling

(37 of 56 spectra for  $r_V \leq 0.5$ ; see § 3.1). Among this group, some objects (e.g., TW Hya and CY Tau; see Fig. 7) clearly show reduction of the red absorption as the emission, likely that of a stellar wind as indicated by the strong P Cygni profile, increases. In such stars the appearance and disappearance of the red absorption is likely due, at least in part, to filling in by an exterior stellar wind, as in DR Tau. In others (e.g., V836 Tau and GK Tau; Fig. 7), the weaker helium emission could arise simply from scattering in the funnel flow, and the absence of red absorption may indicate viewing at an azimuth with no funnel flow activity. Azimuthal asymmetry in the funnel flow is also the likely explanation for the strongly variable red absorption morphology in objects such as AA Tau and DK Tau (Fig. 7).

The possibility that red absorption may be partially filled in, either by in situ emission from the accretion flow or by scattered or in situ emission from a wind, implies that the true magnitudes of some red absorption features are stronger and their constraints on the flow structure are stiffer than the observations indicate. Furthermore, since red absorption can be completely filled in by in situ wind emission or, in some cases, cannot be observed at all due to azimuthal inhomogeneities, He I  $\lambda$ 10830 red absorption is likely more pervasive among CTTs than is already apparent.

### 5.3. Size and Structure of the Accretion Flow

Inferences to date on the physical extent of accretion flows have largely relied on models positing that hydrogen and sodium lines are formed primarily in these flows (Calvet et al. 2000). A correlation between the emitting area of the accretion flow and the magnitude of the mass accretion rate has been suggested by Muzerolle et al. (2001) as the explanation for the well-established empirical correlation between infrared hydrogen line luminosities and accretion luminosities (Muzerolle et al. 1998; Folha & Emerson 2001; Natta et al. 2004). The models of hydrogen line formation in magnetospheric flows predict that hydrogen line luminosities are primarily determined by the surface area of the accreting gas, not the density in the flow. The suggestion is that objects with higher accretion rates require larger emitting areas for their magnetospheres than objects with smaller accretion rates. Since more extended magnetospheres are expected on theoretical grounds in objects with lower disk accretion rates, a further suggestion is that high accretion rate objects have wider azimuthal coverage of accreting columns. The red absorption profiles of He I  $\lambda$ 10830 give new insight into this phenomenon, since we have a clear indication of very extended and wide flows in stars with low accretion rates. For example, our limited phase coverage of the edge-on system AA Tau shows that at the same time exceptionally strong red absorption at He I  $\lambda$ 10830 is observed, requiring extensive but dilutely filled accretion flows, the hydrogen Pa $\gamma$  profile is weak, narrow, and symmetric, suggesting a small magnetospheric emitting area if it is formed in the accretion flow. We anticipate that time-monitoring campaigns combining profile monitoring of both He I  $\lambda$ 10830 and the immediately adjacent Pa $\gamma$  line of hydrogen will provide a definitive assessment of the size and azimuthal coverage of the funnel flow and possibly also clarify the origin of the correlation between infrared hydrogen line luminosities and the accretion luminosity.

## 6. CONCLUSIONS

We have probed the geometry of magnetospheric accretion in classical T Tauri stars (CTTs) by modeling red absorption at He I  $\lambda$ 10830 via scattering of the stellar and veiling continua. Between 2001 and 2007, we acquired 81  $1 \mu\text{m}$  spectra of 38 CTTs spanning the full observed range of mass accretion rates. Of the

38 stars, 1 of 9 with  $r_V > 0.5$  and 20 of 29 with  $r_V \leq 0.5$  show red absorption at He I  $\lambda$ 10830 that extends below the  $1 \mu\text{m}$  continuum in one or more spectra, demonstrating that red absorption from magnetospheric accretion is rare in objects with high veiling but is found in about two-thirds of objects with moderate to low veiling. The red absorption can be strong, deep, and broad, with equivalent widths up to  $4.5 \text{ \AA}$ , maximum penetrations into the  $1 \mu\text{m}$  continuum up to 61%, and widths at one-quarter of the absorption minimum up to  $320 \text{ km s}^{-1}$ ; furthermore, they tend to be strongest in stars with the lowest veilings.

We model the red absorption by assuming that an axisymmetric dipolar accretion flow scatters photons from the star and from hot zones in the accretion-heated photosphere that produce the  $1 \mu\text{m}$  veiling and have a filling factor  $f$ . Testing a range of magnetosphere widths and  $f$  consistent with shock filling factors from the literature, we find that about half of the absorption profiles can be explained by dipolar flows in which the size of the flow is consistent with the size of the shock filling factor  $f$ . Weak absorption in stars with weak veiling and intermediate absorption in stars with intermediate veiling are explained by such flows, but strong absorption in stars with little to no veiling is not.

We introduce the concept of dilution as a means of producing strong red absorption while keeping the filling factor and thus the veiling low. In a diluted flow, the magnetosphere can extend over a wide range of radii, with a large covering factor on the stellar surface, but this volume is incompletely filled by accreting gas. Instead of a single thick flow, we posit multiple nested streamlets with a total filling factor small enough for a low veiling, but each with an intrinsic thermal or turbulent width sufficient to scatter photons as though the entire volume were filled, thereby yielding large red absorption. The multiple streamlets can also explain how helium is ionized through the entire flow, rather than just the skin of a thick flow. Large, dilutely filled accretion flows are necessary for about half of the objects, some of which require accreting streamlets to connect to the disk over a range from  $2R_*$  out to or beyond corotation. A few stars show such deep absorption at redward velocities exceeding 50% of the stellar escape velocity that flows near the star with less curvature than a dipolar trajectory seem to be required.

The frequency of He I  $\lambda$ 10830 red absorption is also informative. Our limited temporal coverage suggests that the frequency of helium absorption differs in stars with high and low veiling. Red absorption at He I  $\lambda$ 10830 is far more common in stars with low

veiling. When it is absent from these stars, it is sometimes because helium emission from another source, such as a wind, fills it in, and sometimes it is because of inhomogeneous azimuthal coverage of accreting magnetic columns. Among stars with high veiling ( $r_V \geq 0.5$ ), red absorption at He I  $\lambda$ 10830 is rarely seen. If these stars had accretion geometries similar to those of the low-veiling stars, they would be expected to have extremely strong red absorption. Even if the absorption were filled in by emission from the accretion flow, the stars would still be expected to show red absorption at high velocities. In the high-veiling stars, the paucity of He I  $\lambda$ 10830 red absorption, the presence of He I  $\lambda$ 10830 emission and blue absorption that suggest formation in accretion-powered stellar winds, and the weakness or absence of narrow-component He I  $\lambda$ 5876 emission from an accretion shock lead us to suggest that the magnetospheric accretion structure may be crunched or otherwise reduced in CTTSs with the highest disk accretion rates.

We find the study of He I  $\lambda$ 10830 red absorption due to infalling gas projected in front of the star to be complementary to studies of emission lines modeled as arising over the full size of the accretion flow. The proximity of He I  $\lambda$ 10830 and Pa $\gamma$  offer an excellent pair of lines for deeper investigation of magnetospheric geometries through intensive time-monitoring programs that can track nonazimuthal structures as stars rotate. Our limited phase coverage of AA Tau demonstrates that this approach will be very effective, particularly when coupled with radiative transfer models that can constrain formation conditions for both lines simultaneously.

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